

**Op Amp Glossary of Terms**  
**Part I: Chart Specs**  
**Thatcher Klumpp, Aug. 22, 1995**

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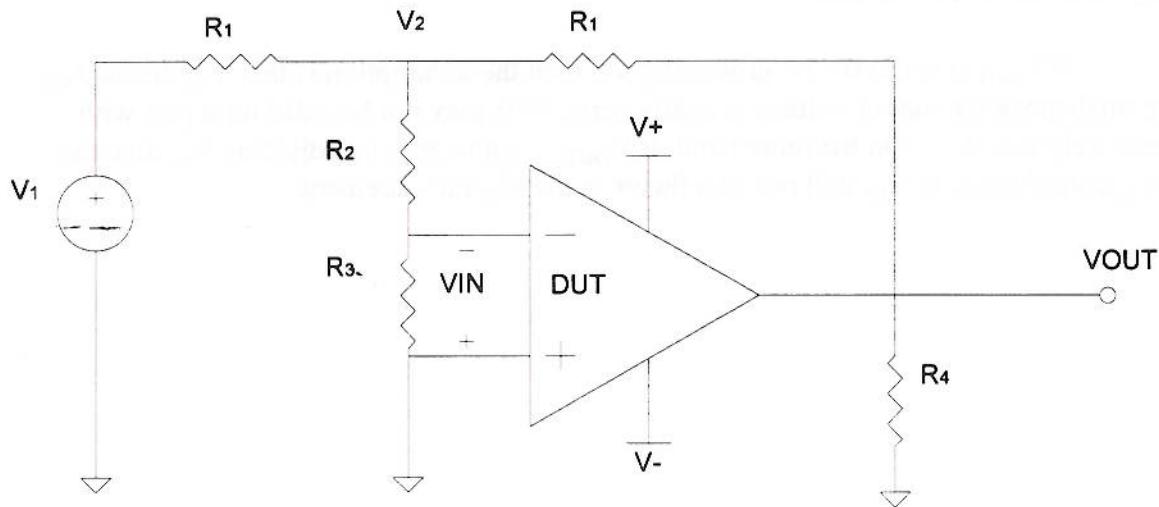
## Parameter: Input Offset Voltage ( $V_{OS}$ )

**Definition:** The differential input voltage required for zero output voltage when the common-mode voltage is zero, power supplies are at the specified level and the temperature is 25 °C.

See Appendix A for a discussion of the components of the differential input voltage  $V_{IN}$ .

### Test Circuit:

See Appendix B for suggested resistor values and a discussion of the assumptions associated with the circuit below.



### Test Conditions:

- Set the power supplies to the specified value.
- Adjust  $V_1$  for  $V_{OUT} = 0V$ .
- Choose  $R_4$  to establish the specified load:  $R_{LOAD} \cong R_4 || R_1$ .
- $T = 25^\circ C$

## Test Method:

- Measure  $V_2$ .
- Calculate  $V_{OS}$ .

$$V_{OS} = \frac{-V_2}{1 + \frac{R_2}{R_3}}$$

## Special Considerations:

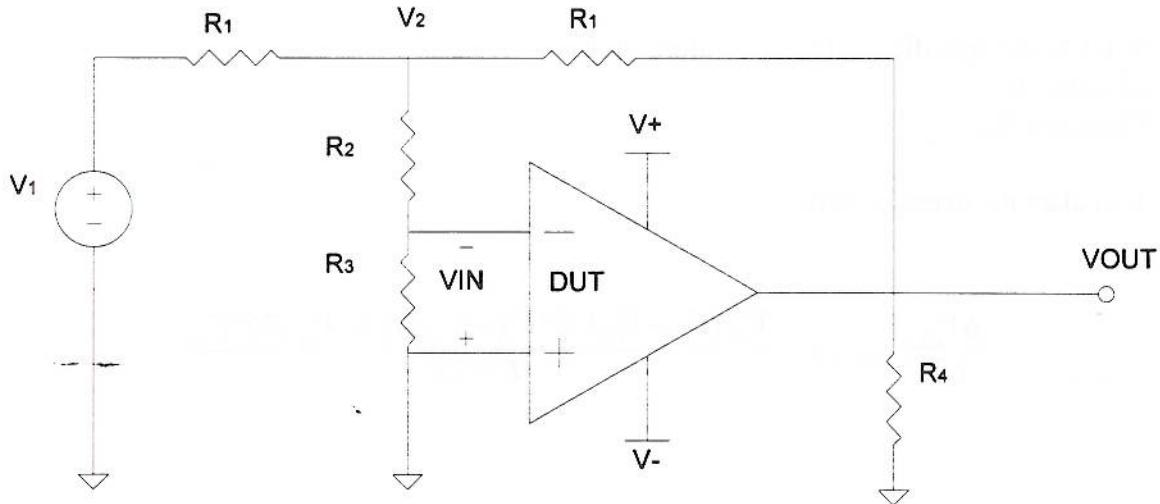
If  $V_{OUT}$  is set to 0V by grounding  $V_1$ , then the assumption is that  $V_{IN}$  due to  $A_{OL}$  is small since the output voltage is nearly zero. This may not be valid for a part with relatively low  $A_{OL}$ . On the other hand, if  $V_{OUT}$  is set to zero by adjusting  $V_1$ , then the  $A_{OL}$  contribution to  $V_{IN}$  will not be a factor in the  $V_{IN}$  measurement.

**Parameter:** Input Offset Voltage Drift (due to temperature)

**Definition:** The change of  $V_{OS}$  with temperature:

$$DRIFT_{TEMP} = \frac{\Delta V_{OS}}{\Delta T}$$

**Test Circuit:**



**Test Conditions:**

- Set the power supplies to the specified value.
- Adjust  $V_1$  for  $V_{OUT} = 0V$ .
- Choose  $R_4$  to establish the specified load:  $R_{LOAD} \approx R_4 \parallel R_1$ .

**Test Method:**

The test procedure outlined below describes a three-point averaging technique of  $V_{OS}$  drift with temperature.  $V_{OS}$  is measured at three points; they are the specified hot temperature, the specified cold temperature and room temperature (25 °C). The subsequent calculation averages the absolute drift of  $V_{OS}$  over two temperature ranges: room temperature to the specified hot temperature and room temperature to the specified cold temperature.

- Set  $T = 25 \text{ } ^\circ\text{C}$ .
- Measure  $V_2$ .
- Calculate  $V_{\text{os}}(25 \text{ } ^\circ\text{C})$ :

$$V_{os}(25^\circ C) = \frac{-V_2}{1 + \frac{R_2}{R_3}}$$

- Set T to the specified hot temperature ( $T_1$ ).
- Measure  $V_2$ .
- Calculate  $V_{OS}(T_1)$ .

- Set T to the specified cold temperature ( $T_2$ ).
- Measure  $V_2$ .
- Calculate  $V_{OS}(T_2)$ .

- Calculate the average drift.

$$\frac{\Delta V_{OS}}{\Delta T} \Big|_{AVERAGE} = \frac{|V_{OS}(T_1) - V_{OS}(25^\circ C)| + |V_{OS}(T_2) - V_{OS}(25^\circ C)|}{|T_1 - T_2|}$$

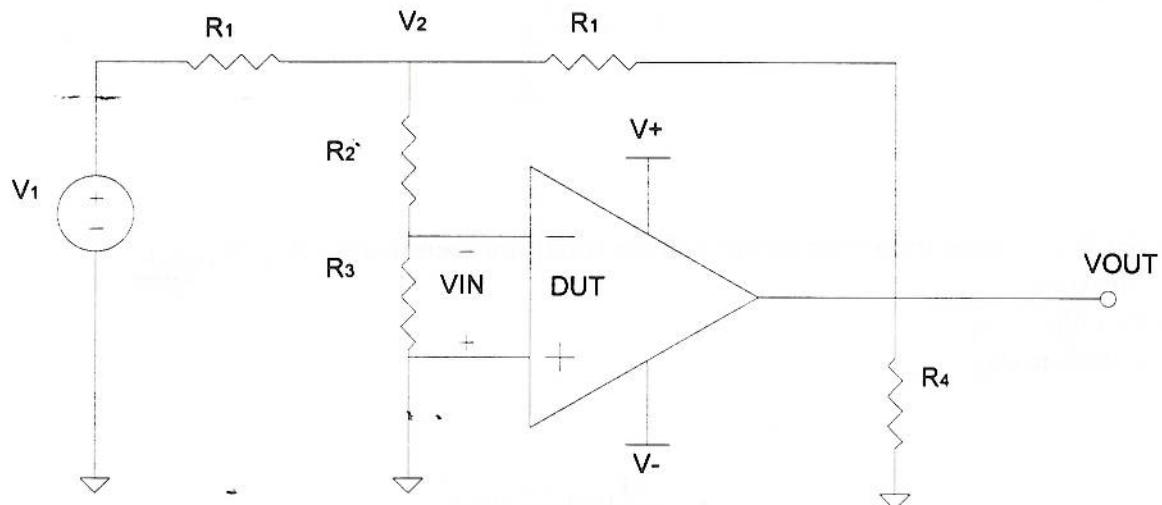
### Special Considerations:

**Parameter:** Open-Loop Voltage Gain ( $A_{OL}$ )

**Definition:** The change of  $V_{OUT}$  with  $V_{IN}$ .

$$A_{OL} = \frac{\Delta V_{OUT}}{\Delta V_{IN}}$$

**Test Circuit:**



## Test Conditions:

- Set the power supplies to the specified value.
- Choose  $R_4$  to establish the specified load:  $R_{LOAD} \approx R_4 \parallel R_1$ .
- $T = 25^\circ C$

## Test Method:

- Set  $V_{OUT}$  to the maximum output voltage condition specified for  $A_{OL}$  ( $V_{OUT1}$ ).
- Measure  $V_2$ .
- Calculate  $V_{IN1}$ .

$$V_{IN} = \frac{-V_2}{1 + \frac{R_2}{R_3}}$$

- Set  $V_{OUT}$  to the minimum output voltage condition specified for  $A_{OL}$  ( $V_{OUT2}$ ).
- Measure  $V_2$ .
- Calculate  $V_{IN2}$ .
- Calculate  $A_{OL}$ :

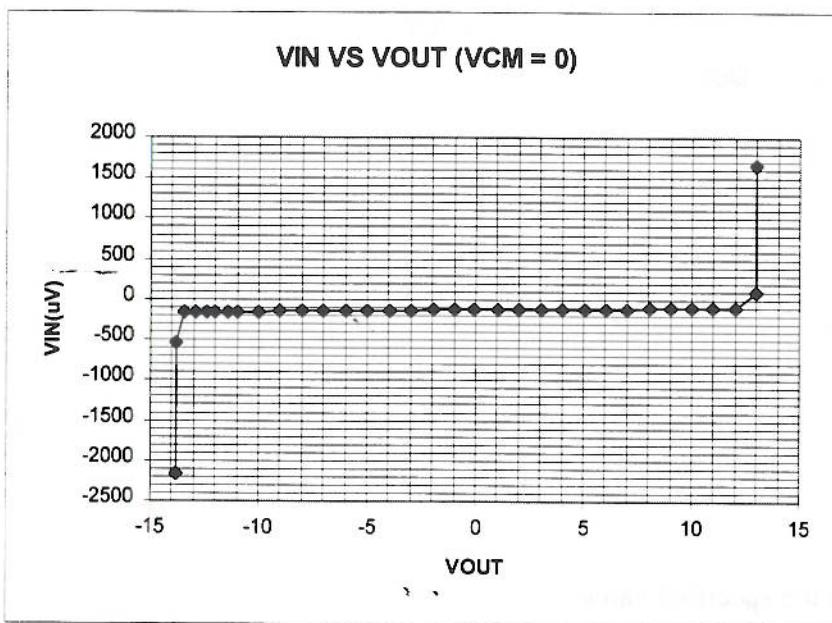
$$A_{OL} = \left| \frac{V_{OUT1} - V_{OUT2}}{V_{IN1} - V_{IN2}} \right|$$

## Special Considerations:

< Burr-Brown Notes >

- Use more than two points to test units known to have a unique  $V_{IN}$  versus  $V_{OUT}$  characteristic.
- Determining  $V_{OUT1}$  and  $V_{OUT2}$ .

Use the test method described for  $A_{OL}$  to generate a plot of  $V_{IN}$  versus  $V_{OUT}$ .

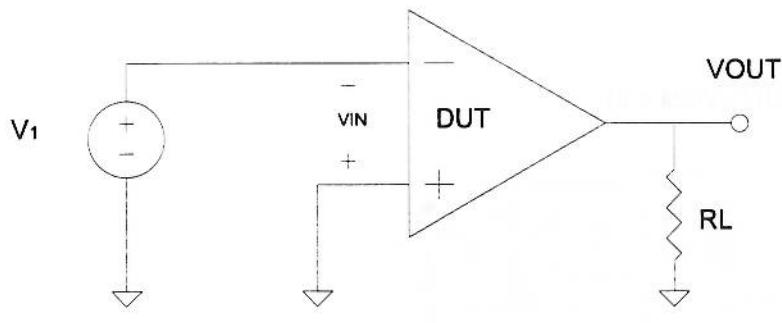


Draw a line with positive slope equal to the guaranteed minimum  $A_{OL}$  and passing through  $V_{IN}$  at  $V_{OUT} = 0V$ . Draw a second line with negative slope equal in magnitude to the guaranteed minimum  $A_{OL}$  and passing through  $V_{IN}$  at  $V_{OUT} = 0V$ . The resulting "butterfly graph" defines the linear operation of the unit. The output voltage at the points where the plot exits the allowable error band delimits the  $A_{OL}$  test conditions.

**Parameter:** Voltage Output (Positive, Negative)

**Definition:** Positive Output Voltage: The output voltage when  $V_{IN}$  is 500 mV.  
Negative Output Voltage: The output voltage when  $V_{IN}$  is -500 mV.

**Test Circuit:**



**Test Conditions:**

- Set the power supplies to the specified value.
- Choose  $R_L$  to establish the specified load.
- $T = 25^\circ\text{C}$

**Test Method:**

- Set  $V_1$  to +500mV.
- Measure  $V_{OUT}$ . This is the negative output voltage swing.
- Set  $V_1$  to -500mV.
- Measure  $V_{OUT}$ . This is the positive output voltage swing.

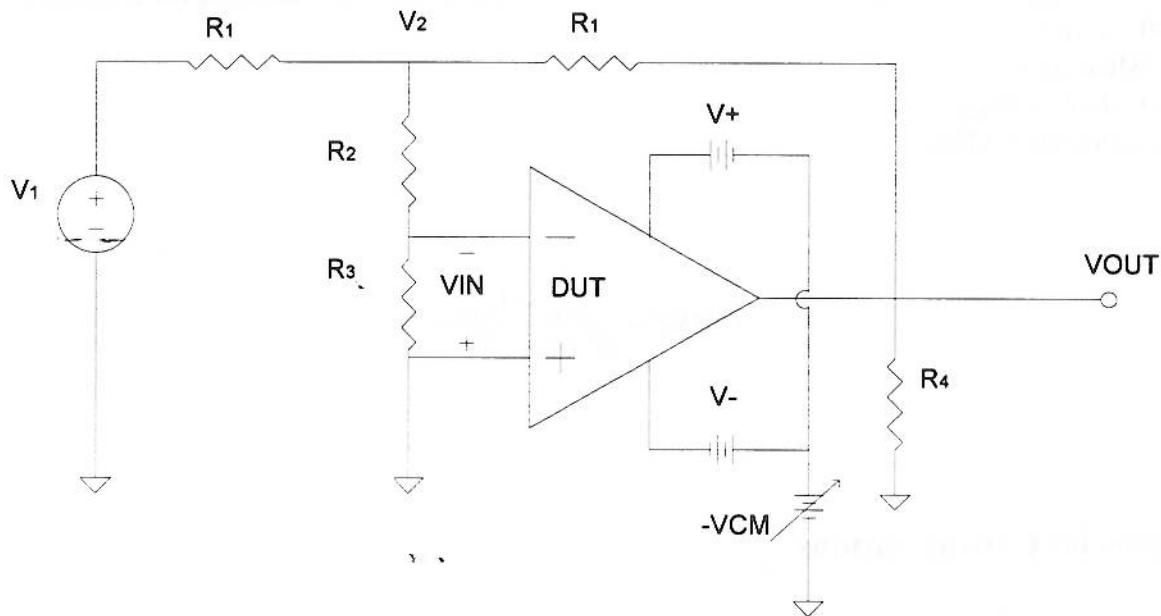
**Special Considerations:**

**Parameter:** Common-Mode Rejection Ratio (CMRR)

**Definition:** The change of  $V_{IN}$  with  $V_{CM}$ :

$$CMRR = \frac{\Delta V_{IN}}{\Delta V_{CM}}$$

**Test Circuit:**



**Test Conditions:**

- Set  $V_+$  and  $V_-$  to the specified values.
- Choose  $R_4$  to establish the specified load:  $R_{LOAD} \approx R_4 \parallel R_1$ .
- $T = 25^\circ C$

## Test Method:

- Set  $-V_{CM}$  to the negative of the maximum guaranteed common-mode voltage.
- Set  $V_{OUT}$  equal to  $-V_{CM}$  by adjusting  $V_1$ . This is equivalent to maintaining the condition of  $V_{OUT} = 0$ .
- Measure  $V_2$ .
- Calculate  $V_{IN1}$ .

$$V_{IN} = \frac{-V_2}{1 + \frac{R_2}{R_3}}$$

- Set  $-V_{CM}$  to the negative of the minimum guaranteed common-mode voltage.
- Set  $V_{OUT}$  equal to  $-V_{CM}$  by adjusting  $V_1$ . This is equivalent to maintaining the condition of  $V_{OUT} = 0$ .
- Measure  $V_2$ .
- Calculate  $V_{IN2}$ .
- Calculate CMRR.

$$CMRR = \frac{V_{IN1} - V_{IN2}}{(V+)_1 - (V+)_2}$$

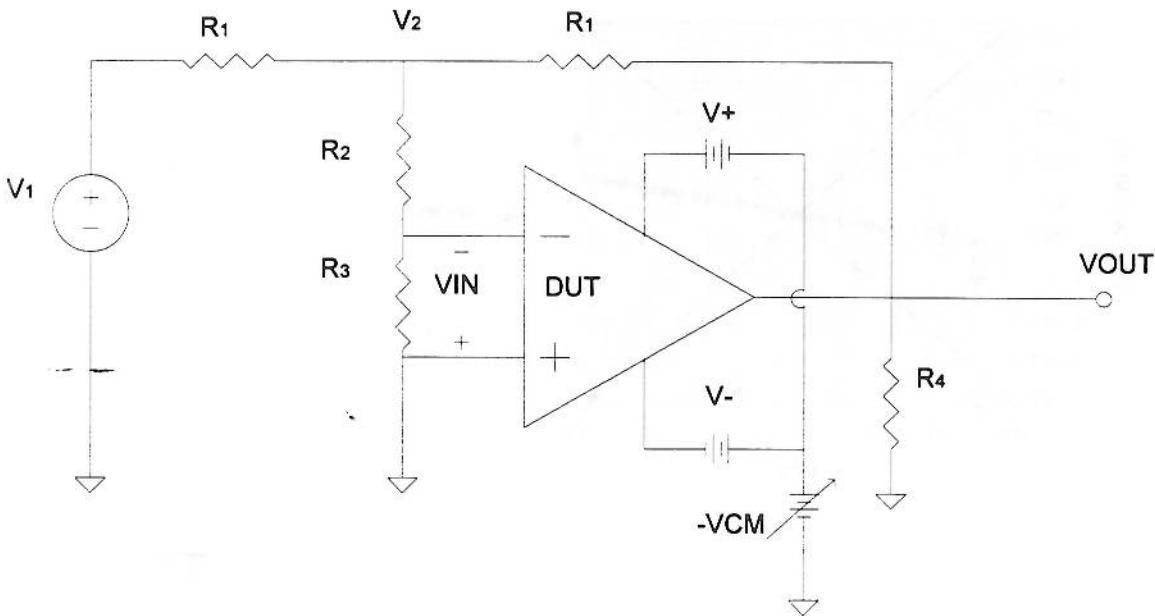
## Special Considerations:

- Use more than two points to test units known to have a unique  $V_{IN}$  versus  $V_{CM}$  characteristic.

**Parameter:** Common-Mode Voltage Range

**Definition:** The maximum and minimum voltage levels common to both the inverting and noninverting inputs that may be applied without exceeding an error band defined by the minimum CMRR specification.

**Test Circuit:**

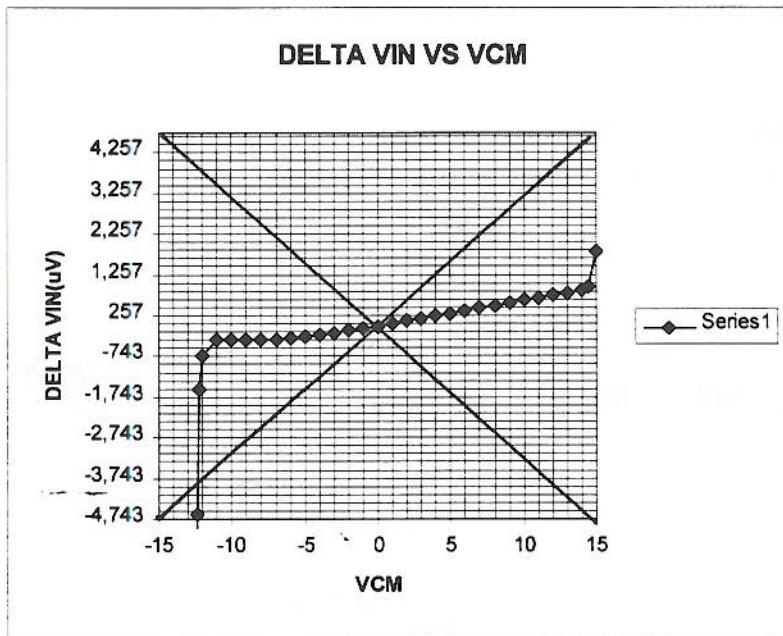


**Test Conditions:**

- Set  $V_+$  and  $V_-$  to the specified values.
- Adjust  $V_1$  for  $V_{OUT} = 0V$ .
- Choose  $R_4$  to establish the specified load:  $R_{LOAD} \cong R_4 \parallel R_1$ .
- $T = 25^\circ C$

## Test Method:

- Use the test method for CMRR to generate a plot of  $\Delta V_{IN}$  versus  $V_{CM}$ :
- Plot the difference between the differential input voltage at a given common-mode voltage and the initial offset voltage.



Draw a line with positive slope equal to the guaranteed minimum CMRR and passing through  $V_{IN}$  at  $V_{CM} = 0V$ . Draw a second line with negative slope equal in magnitude to the guaranteed minimum CMRR and passing through  $V_{IN}$  at  $V_{CM} = 0V$ . The resulting “butterfly graph” defines the allowable error band of the unit. The common-mode voltage at the points where the plot exits the allowable error band delimits the common-mode range of the op amp.

## Special Considerations:

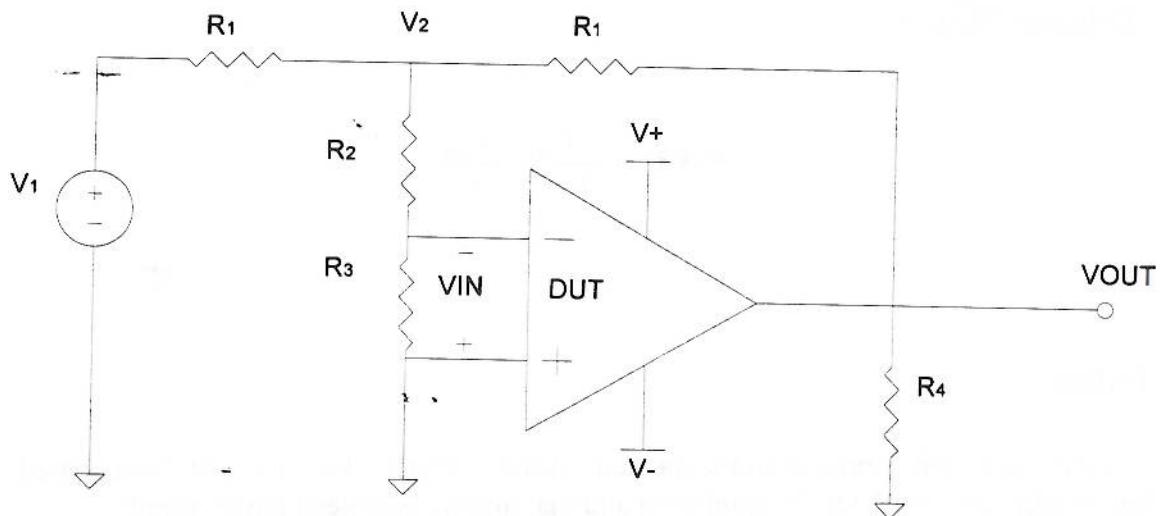
**Parameter:** Power Supply Rejection Ratio (PSRR)

**Definition:** The change of  $V_{IN}$  with  $V+$  or  $V-$ :

$$PSRR^+ = \frac{\Delta V_{IN}}{\Delta(V+)}$$

$$PSRR^- = \frac{\Delta V_{IN}}{\Delta(V-)}$$

**Test Circuit:**



**Test Conditions:**

- Adjust  $V_1$  for  $V_{OUT} = 0V$ .
- Choose  $R_4$  to establish the specified load:  $R_{LOAD} \approx R_4 \parallel R_1$ .
- $T = 25^\circ C$

### Test Method:

#### PSRR<sup>+</sup>

- Set (V-) to the specified value.
- Set (V+) to the maximum guaranteed supply voltage level (V+)<sub>1</sub>.
- Measure V<sub>2</sub>.
- Calculate V<sub>IN1</sub>.

$$V_{IN} = \frac{-V_2}{1 + \frac{R_2}{R_3}}$$

- Set (V+) to the minimum guaranteed supply voltage level (V+)<sub>2</sub>.
- Measure V<sub>2</sub>.
- Calculate V<sub>IN2</sub>.
- Calculate PSRR<sup>+</sup>:

$$PSRR^+ = \frac{V_{IN1} - V_{IN2}}{(V+)_1 - (V+)_2}$$

#### PSRR<sup>-</sup>

- Determine PSRR<sup>-</sup> similarly to the method given for PSRR<sup>+</sup>; keep (V+) at the specified level while setting (V-) to the minimum and maximum guaranteed power supply voltages.

$$PSRR^- = \frac{V_{IN1} - V_{IN2}}{(V-)_1 - (V-)_2}$$

## PSRR

- Determine PSRR similarly to the method given for  $PSRR^+$  and  $PSRR^-$ ; set both (V+) and (V-) to the minimum and maximum guaranteed power supply voltages.

$$PSRR = \frac{V_{IN1} - V_{IN2}}{2((V+)_1 - (V+)_2)}$$

## Special Considerations:

- Use more than two points to test units known to have a unique  $V_{IN}$  versus (V+) or (V-) characteristic.

**Parameter:** Power Supply Operating Voltage Range

**Definition:** Text to come from Bruce Trump.

**Parameter:** Input Bias Current ( $I_B^+$  and  $I_B^-$ )

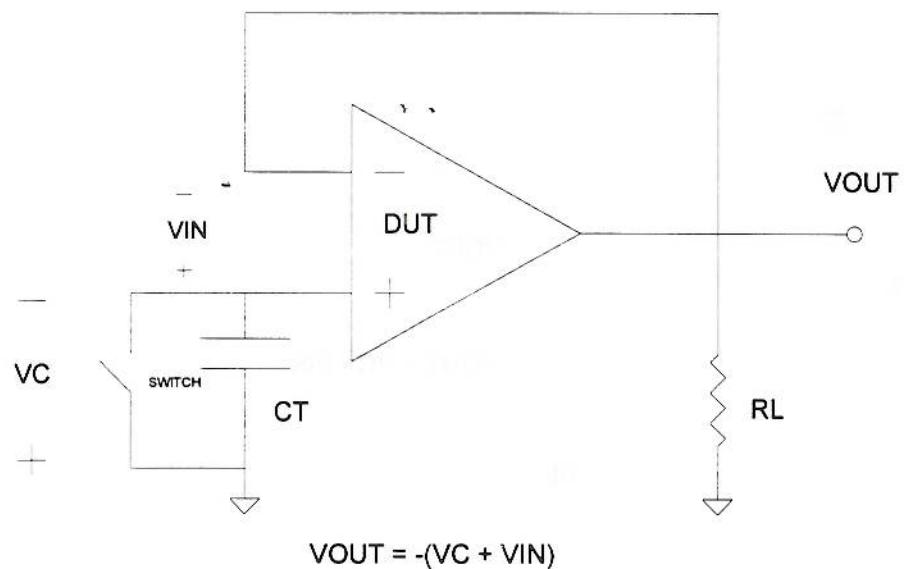
**Definition:**  $I_B^+$ : The current that flows into the noninverting input of the op amp.  
 $I_B^-$ : The current that flows into the inverting input of the op amp.

**Note:** Two approaches are given to measure bias current. One implements a capacitor integration technique and the other uses a large resistor to establish a measurable voltage drop. The integration method should be used for FET-input amplifiers and the large resistor method should be used for bipolar-input amplifiers.

### Test Conditions:

- Set the power supplies to the specified value.
- Choose  $R_4$  to establish the specified load:  $R_{LOAD} \approx R_4 \parallel R_1$ .
- $T = 25^\circ C$

### Test Circuit ( $I_B^+$ ):(Integration method)



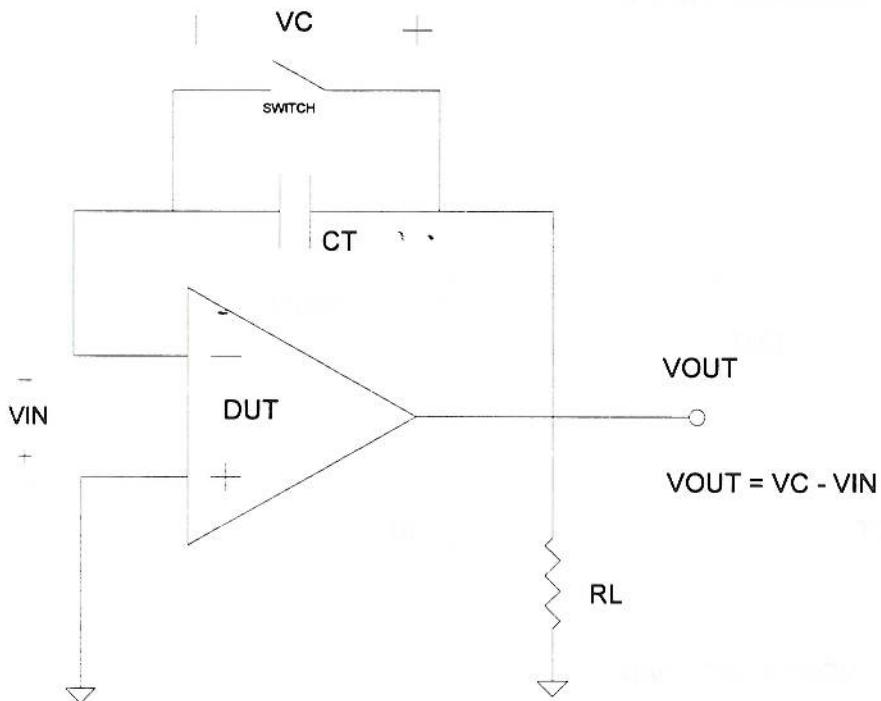
## Test Method ( $I_B^+$ ) (stopwatch integration):

- Select a proper value for  $C_T$ .
- Close switch and measure  $V_{OUT1}$ .
- Open switch and start timing simultaneously.
- Stop timing when  $V_{OUT}$  reaches  $V_{OUT2}$ .
- Calculate  $I_B^+$ :

$$I_B^+ = -C_T \frac{V_{OUT2} - V_{OUT1}}{\Delta t}$$

Note: The negative sign in this equation serves to yield the correct polarity of the input bias current. Also, the above equation assumes that the voltage across capacitor  $C_T$  increases linearly with time. Further,  $\Delta t$  should be large, possibly 60 seconds, in order to reduce reaction time error. The common-mode input voltage should be kept small in the case of parts that show a significant rise in input bias current with increasing common-mode voltage.  $C_T$  must be chosen in order to meet these conditions. For instance, an op amp with an input bias current of four picoamps, an integration time of 60 seconds and a  $\Delta V_{OUT}$  of approximately 50 mV would require the value of  $C_T$  to be about 4,800 pF.

## Test Circuit ( $I_B$ )



## Test Method ( $I_B^-$ ) (stopwatch integration)

- Determine  $I_B^-$  similarly to  $I_B^+$  except for the final calculation:

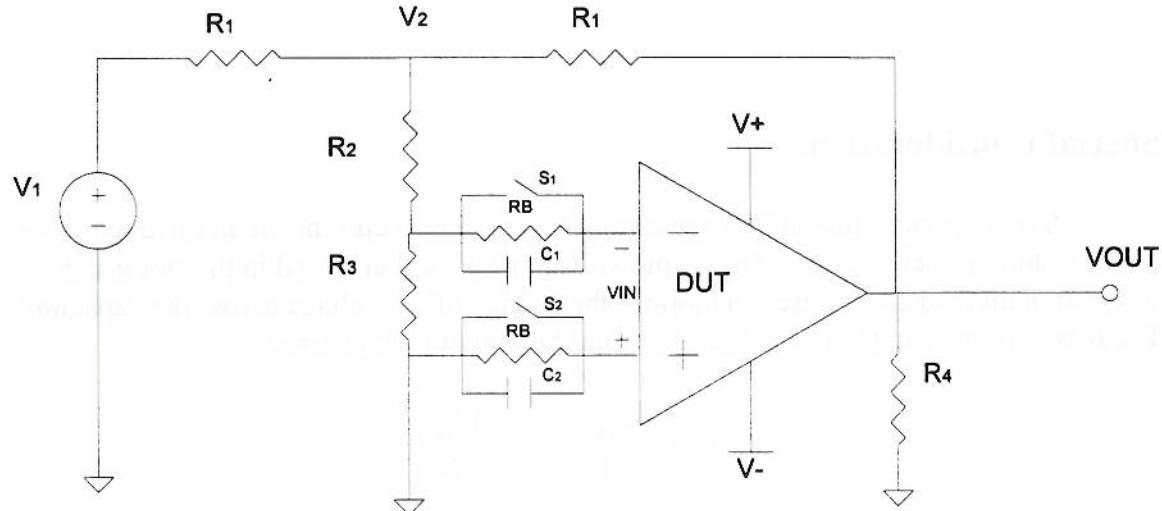
$$I_B^- = C_T \frac{V_{OUT2} - V_{OUT1}}{\Delta t}$$

## Special Considerations:

A more precise method for measuring the input bias currents of an op amp makes use of a storage oscilloscope. The output voltage of the circuits used in the stopwatch integration method can be used to monitor the change of the voltage across the capacitor. The bias currents can then be calculated from the output voltage trace:

$$I_B = C_T \frac{\partial V_{OUT}}{\partial t} = C_T \frac{\Delta V_{OUT}}{\Delta t}$$

## Test Circuit ( $I_B^+$ ): (Large resistor method)



### Test Conditions:

- Set the power supplies to the specified value.
- Adjust  $V_1$  for  $V_{OUT} = 0V$ .
- Choose  $R_4$  to establish the specified load:  $R_{LOAD} \cong R_4 \parallel R_1$ .
- $T = 25^\circ C$
- Choose  $R_B$  that results in a measurable change in  $V_2$ .
- Choose  $C_1$  and  $C_2$  to maintain stability. A suggested R-C time constant is 1 ms for the  $R_B$  and  $C$  combinations.

### Test Method ( $I_B^+$ and $I_B^-$ ):(Large resistor method)

- Close switches  $S_1$  and  $S_2$ .
- Measure  $V_2:V_{20}$

- Open switch  $S_2$ .
- Measure  $V_2:V_{2+}$
- Close switch  $S_2$ .

- Calculate  $I_B^+$ :

$$I_B^+ = \frac{V_{2o} - V_{2+}}{R_B \left( 1 + \frac{R_2}{R_3} \right)}$$

- Open switch  $S_1$ .
- Measure  $V_2; V_{2-}$
- Calculate  $I_B^-$ :

$$I_B^- = \frac{V_{2-} - V_{2o}}{R_B \left( 1 + \frac{R_2}{R_3} \right)}$$

### Special Considerations:

**Parameter:** Input Offset Current ( $I_{OS}$ )

**Definition:** The difference between  $I_B^+$  and  $I_B^-$ .

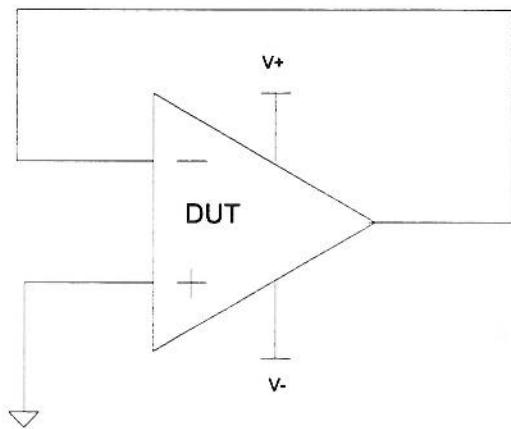
**Calculation:**  $I_{OS}$  is found by a simple calculation:

$$I_{OS} = I_B^+ - I_B^-$$

## Parameter: Quiescent Current

**Definition:** The current delivered to the amplifier by one of the power supplies when the output current of the amplifier is zero.

## Test Circuit:



## Test Conditions:

- Set the power supplies to the specified value.
- $T = 25^\circ\text{C}$

## Test Method:

The quiescent current flows into the V+ terminal and out of the V- terminal. In order to determine the quiescent current, only one measurement of the current in the V+ terminal or V- terminal is needed since they are equal.

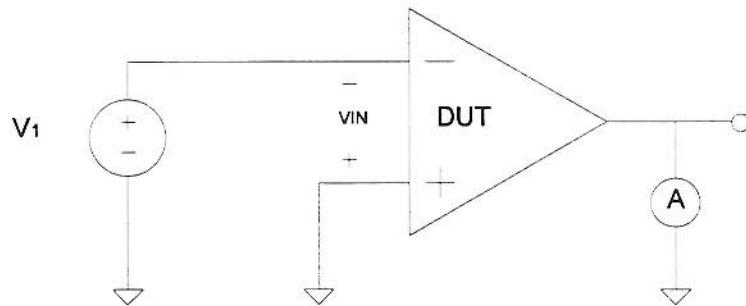
- Place an ammeter in series with the either the positive power supply or negative power supply to measure the quiescent current.

## Special Considerations:

**Parameter:** Short Circuit Current

**Definition:** The output current of the amplifier when the output is shorted to ground.

**Test Circuit:**



**Test Conditions:**

- Set the power supplies to the specified value.
- $T = 25^\circ\text{C}$

**Test Method:**

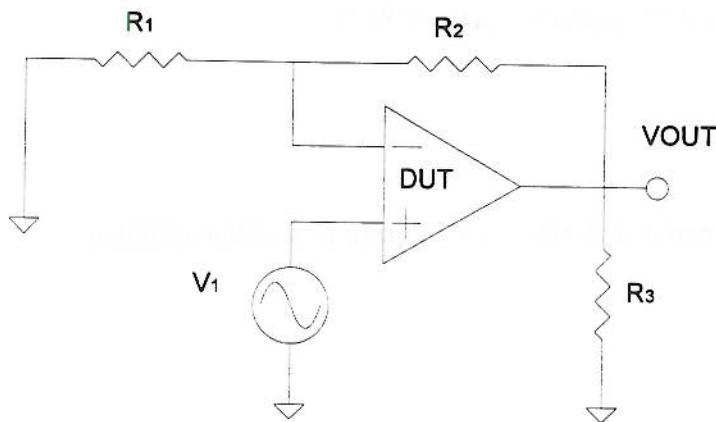
- Set  $V_1$  to -500 mV.
- Measure the current flowing out of the output terminal of the amplifier with an ammeter as shown. This is the positive output current.
- Set  $V_1$  to 500 mV.
- Measure the current flowing into the output terminal of the amplifier with an ammeter as shown. This is the negative output current.

**Special Considerations:**

**Parameter:** Gain-Bandwidth Product (GBW)

**Definition:** The product of the specified dc gain and the -3 dB frequency at the specified gain.

### Test Circuit:



### Test Conditions:

- Set the power supplies to the specified value.
- Choose  $R_3$  to establish the specified load:  $R_{LOAD} \cong R_2 \parallel R_3$ .
- $T = 25^\circ C$

### Test Method:

- Choose  $R_1$  and  $R_2$  to establish desired gain:

$$DC\_GAIN = 1 + \frac{R_2}{R_1}.$$

Note: The dc gain of the test circuit should be 100 V/V when testing a unit where the gain bandwidth product specification does not include a specified gain.

- Use a function generator to set  $V_1$ .
- Sweep the frequency of  $V_1$  and use an oscilloscope or Gain-Phase analyzer to determine the 3 dB frequency of the configuration.
- Calculate the Gain-Bandwidth Product:

$$GBW = DC\_GAIN \times -3dB\_FREQ$$

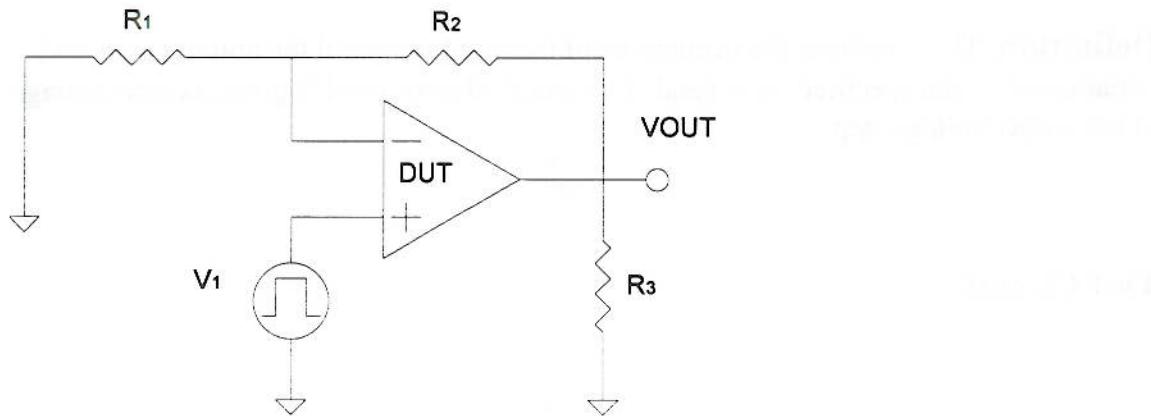
### Special Considerations:

- The amplitude of  $V_1$  must be selected such that slew limiting is avoided at higher frequencies.

## Parameter: Slew Rate

**Definition:** The rate of change of the output for a large-signal input.

## Test Circuit:



## Test Conditions:

- Set the power supplies to the specified value.
- Choose  $R_3$  to establish the specified load:  $R_{LOAD} \equiv R_2 \parallel R_3$ .
- $T = 25^\circ C$

## Test Method:

- Choose resistor values  $R_2$  and  $R_3$  to establish the specified gain or otherwise unity gain.
- Establish  $V_1$  to be a square wave with a peak to peak amplitude as specified or typically  $\pm 5$  V.
- Monitor  $V_{OUT}$  with an oscilloscope.
- Use the 10% and 90% points of the output wave form to calculate the slew rate:

$$SLEW\_RATE = \frac{\Delta V}{\Delta t}$$

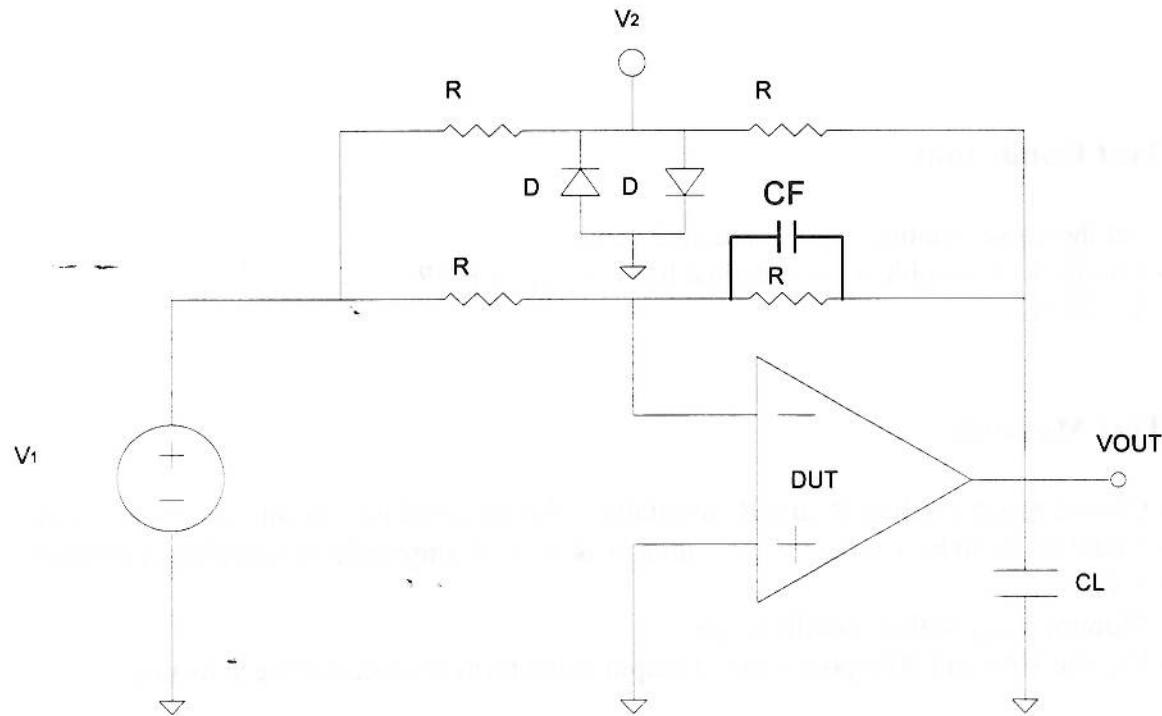
- Measure the slew rate for both positive and negative-going voltage transitions.
- Choose the lowest slew rate measurement, either the slew rate found on the positive transition or on the negative transition, to specify the slew rate of the op amp.

## Special Considerations:

## Parameter: Settling Time

**Definition:** The time from the occurrence of the input step until the output enters and remains within the specified error band. The specified error band is given as a percentage of the output voltage step.

## Test Circuit:



## About the Test Circuit:

- The voltage gain  $V_{OUT}/V_{IN}$  equals -1.
- $V_2$  equals  $(V_{OUT}+V_{IN})/2$ . This is a subtraction since  $V_{IN}$  is the negative of  $V_{OUT}$ .

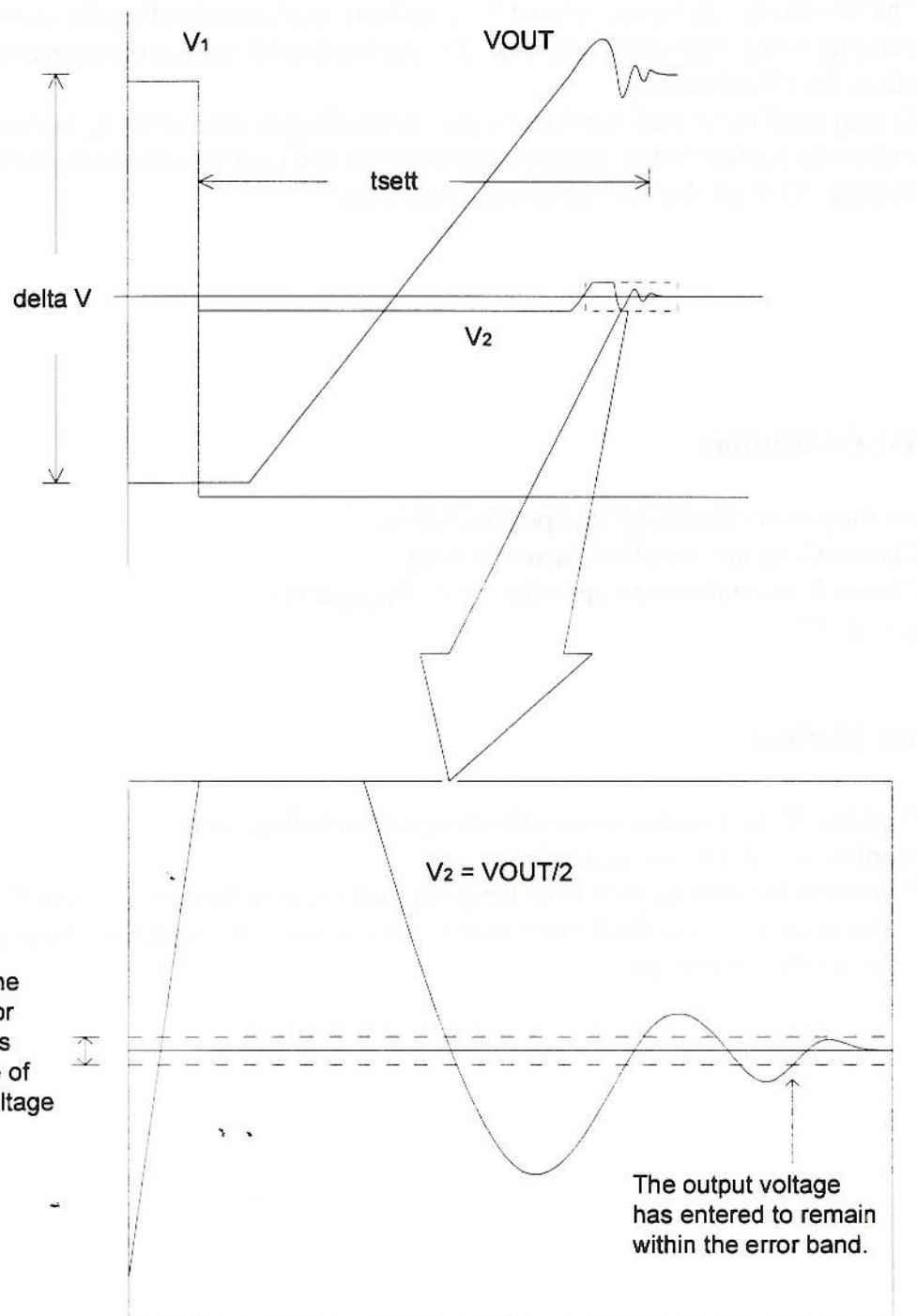
- The two diodes clamp the voltage  $V_2$  in order to avoid overloading the oscilloscope when measuring very small voltages. The diodes should be fast reverse recovery diodes such as the HP-5082-2835.
- $C_F$  may need to be used to achieve optimum settling of the output.  $C_F$  is chosen to compensate for test fixture parasitic capacitances and parasitic input capacitances of the amplifier. Consult the PDS for recommendations.

### **Test Conditions:**

- Set the power supplies to the specified value.
- Choose  $C_L$  as the specified capacitive load.
- Choose  $R$  to establish the specified load:  $R_{LOAD} \cong R/2$ .
- $T = 25^\circ\text{C}$

### **Test Method:**

- Establish  $V_1$  as a square wave with the specified voltage step.
- Monitor  $V_{IN}$  and  $V_2$  on an oscilloscope.
- Determine the settling time from the point that  $V_{IN}$  transitions to the time  $V_2$  enters and remains within the specified error band divided by two. The factor of two is a result of  $V_2$  being half of the output.

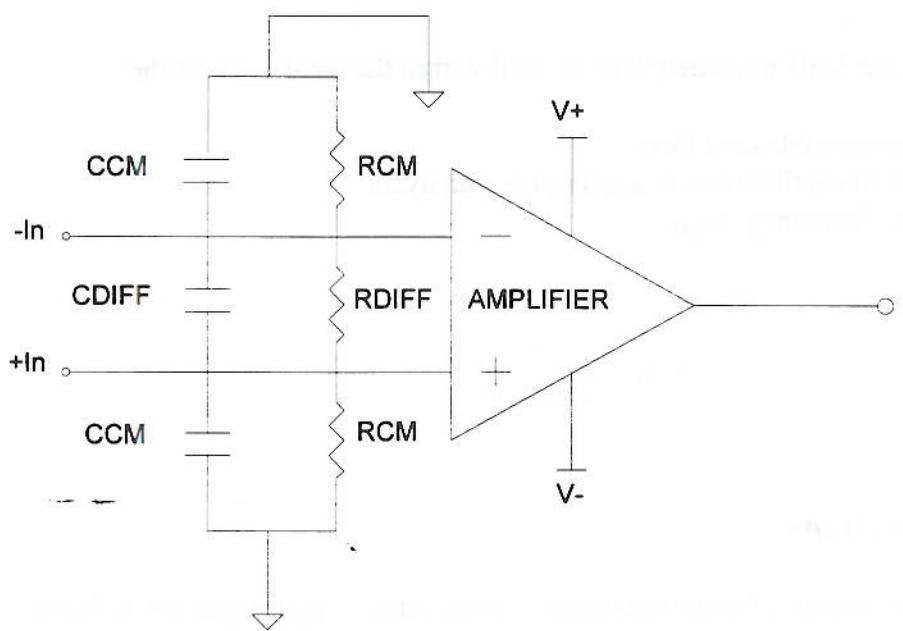


### Special Considerations:

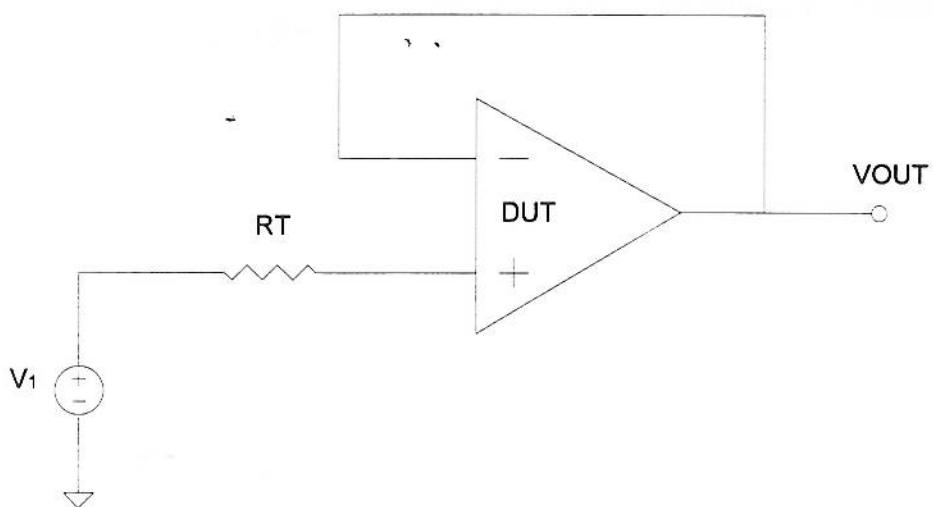
- $V_2$  must be measured with a very low capacitance probe. A 10 pF scope probe generally has too much capacitance to make this measurement.

**Parameter:** Common-Mode Input Capacitance ( $C_{CM}$ )

**Definition:** The equivalent capacitance from an input terminal to ground. As shown in the circuit diagram below, common-mode input capacitance is one of several specified input impedances.



**Test Circuit:**



## Test Conditions:

- Set the power supplies to the specified value.
- $T = 25^\circ\text{C}$

## Test Method:

- Choose  $R_T$  so that the 3-dB frequency will be well within the bandwidth of the amplifier.
- Establish  $V_1$  as a sinusoidal wave form.
- Monitor  $V_{\text{OUT}}$  with an oscilloscope or a gain-phase analyzer.
- Determine the 3-dB frequency,  $f_{\text{CCM}}$ .
- Calculate  $C_{\text{CM}}$ :

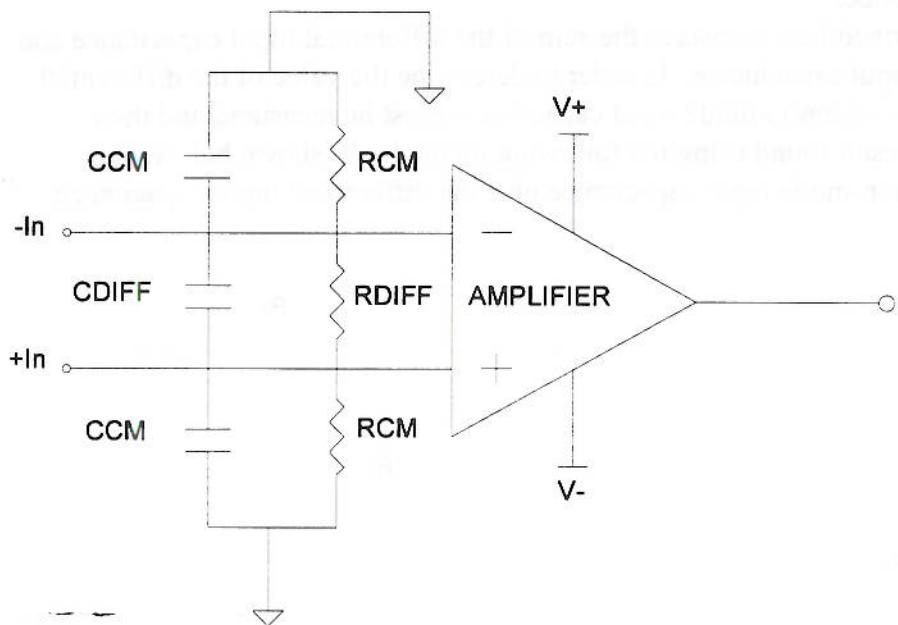
$$C_{\text{CM}} = \frac{1}{2\pi f_{\text{CCM}} R_T}$$

## Special Considerations:

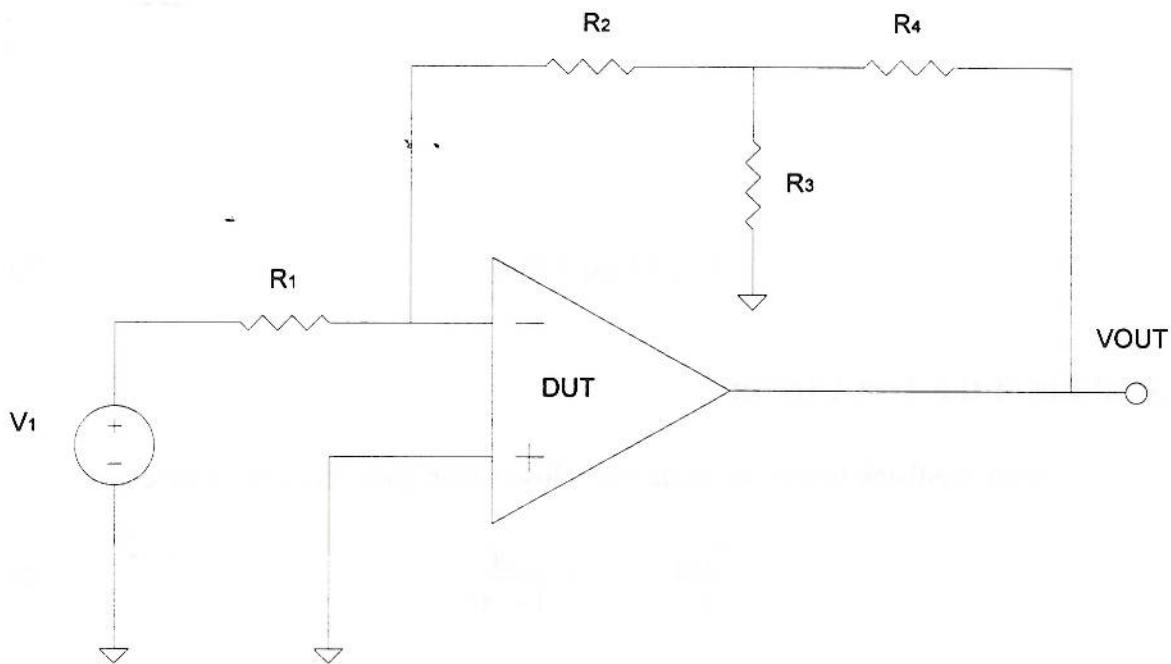
The capacitance that is being measured is comparable to typical parasitics found on bread boards or other test boards. Capacitance in parallel with  $R_T$  and  $C_{\text{CM}}$  will add with  $C_{\text{CM}}$  to establish the 3 dB frequency. Low capacitance boards should be used or else accounted for in the calculation. Similarly, the parasitic capacitance contributed by  $R_T$  should not be neglected. This parasitic introduces a zero at  $f = \frac{1}{2\pi R_T C_{\text{PARASITIC}}}$ .

## Parameter: Differential Input Capacitance ( $C_{\text{DIFF}}$ )

**Definition:** The equivalent capacitance between the input terminals of the operational amplifier. As shown in the circuit diagram below, differential input capacitance is one of several specified input impedances.



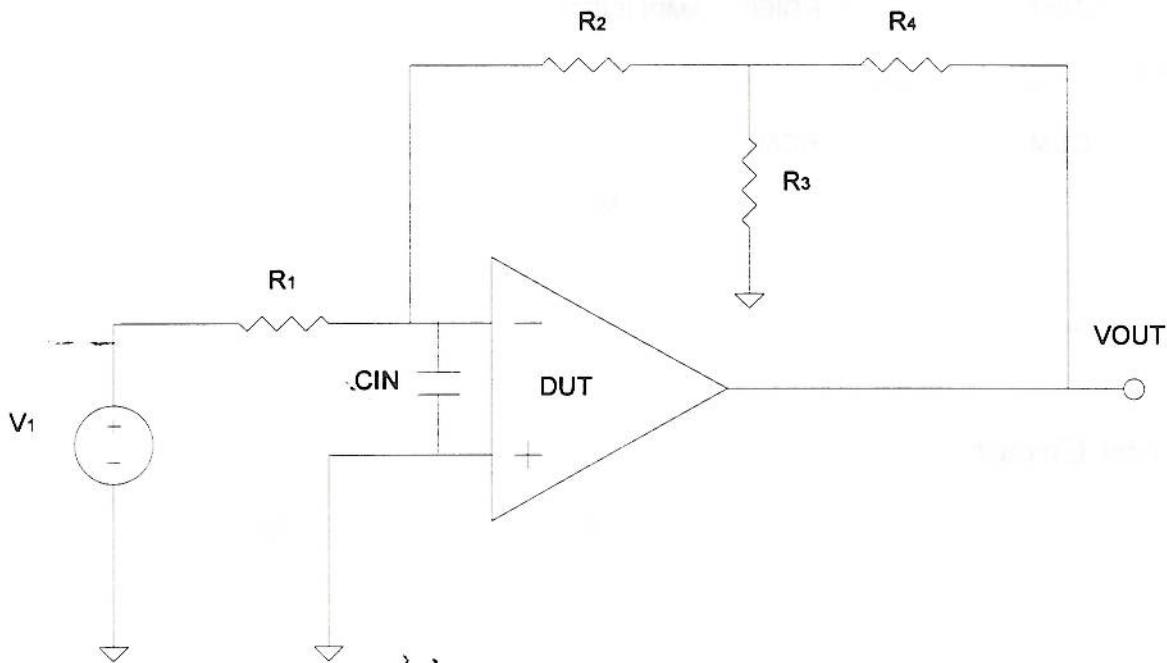
## Test Circuit:



## About the Test Circuit:

A high-gain, high-impedance op amp circuit configuration is required to observe the effect of the differential input capacitance on the transfer function,  $V_{OUT}/V_1$ . Resistor values can be chosen for the “T-Configuration” test circuit above to achieve both high gain and high impedances.

The test described here measures the sum of the differential input capacitance and the common-mode input capacitance. In order to determine the value of the differential input capacitance, the common-mode input capacitance must be measured and then subtracted from the result found using the following method. As shown below,  $C_{IN}$  represents one common-mode input capacitance plus the differential input capacitance.



$$C_{IN} = C_{CM} + C_{DIFF} \quad (1)$$

## Analysis of the Test Circuit:

Classic feedback theory states that the closed-loop gain,  $V_{OUT}/V_1$  is given by:

$$\frac{V_{OUT}}{V_1} = A_{CL} = \frac{A}{1 + A\beta} \quad (2)$$

where  $A_{CL}$  is the closed-loop gain,  $A$  is the open-loop gain and  $\beta$  is feedback factor. The closed-loop gain can be rewritten as

$$A_{CL} = \frac{1}{\beta} \cdot \frac{A\beta}{1 + A\beta}. \quad (3)$$

$A\beta$  is termed the “loop gain” of the feedback configuration. The term,  $1/\beta$ , is the gain of the circuit in the case that the open-loop gain is infinity. This is the value that is calculated when analyzing an ideal op amp circuit. One consequence of the ideal op amp assumptions is that any impedances between the terminals of the amplifier are ignored since it is assumed that both terminals are at the same potential and there is no current flow between them. As a result, the impedance that is to be measured in this case,  $C_{IN}$ , will only appear in the loop gain terms.

For this test circuit,

$$\frac{1}{\beta} = -\left(\frac{R_2 + R_4}{R_1}\right)\left(1 + \frac{R_2||R_4}{R_3}\right). \quad (4)$$

For the typical case where  $R_3$  is relatively small compared to  $R_2$  and  $R_4$ ,

$$\frac{R_2||R_4}{R_3} \gg 1 \quad (5)$$

and

$$\frac{1}{\beta} \cong \frac{R_2 R_4}{R_1 R_3}. \quad (6)$$

The loop gain,  $A\beta$ , is given by:

$$A\beta = \frac{R_3||(R_2 + R_1)}{R_3||(R_2 + R_1) + R_4} \cdot \frac{R_1}{R_1 + R_2} \cdot \frac{A_{OL}}{1 + \frac{1}{2\pi f_b}} \cdot \frac{1}{1 + s(R_1||(R_2 + R_3||R_4))C_{IN}} \quad (7)$$

where  $A_{OL}$  is the open-loop gain of the op amp, and  $f_b$  is the low-frequency pole of the op amp. Again, in the typical case where  $R_3$  is relatively small compared to  $R_2$  and  $R_4$ ,

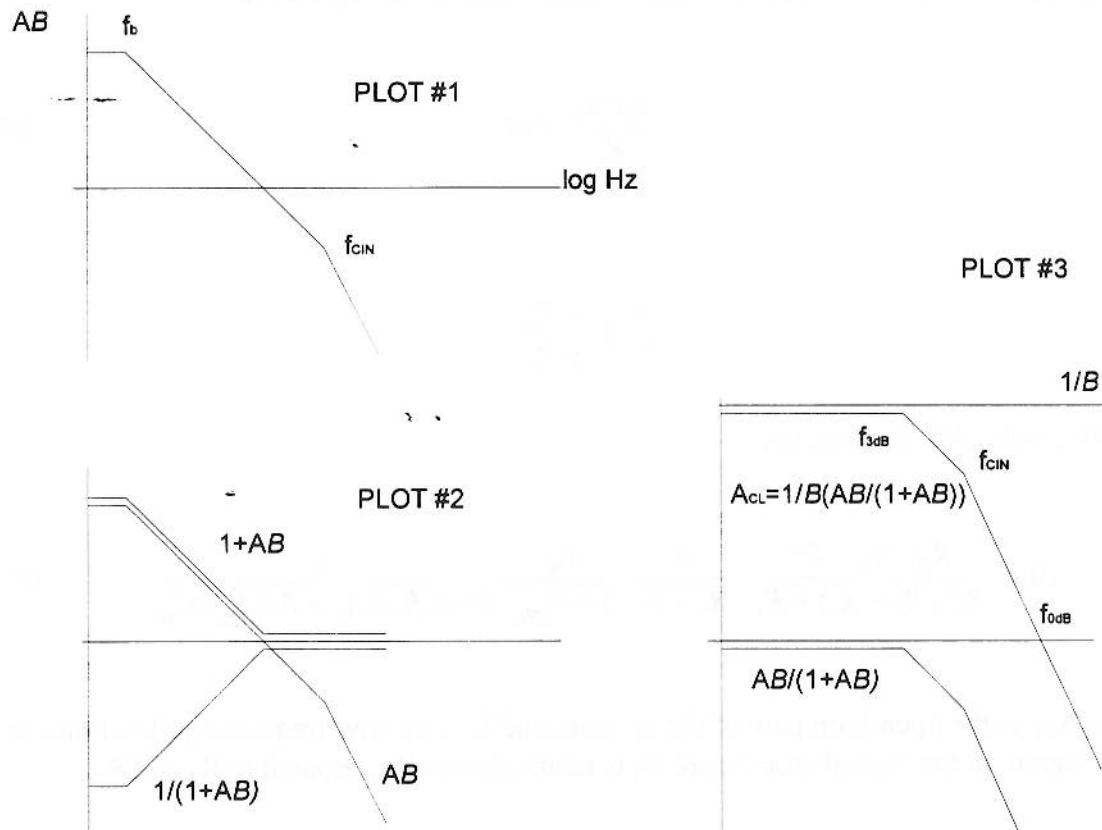
$$A\beta \cong \frac{R_3}{R_3 + R_4} \cdot \frac{R_1}{R_1 + R_2} \cdot \frac{A_{OL}}{1 + \frac{1}{2\pi f_b}} \cdot \frac{1}{1 + s(R_1||R_2)C_{IN}} \quad (8)$$

Two poles appear in the loop gain expression; one is contributed by the op amp and is located at  $f_b$  and the other is a result of  $C_{IN}$  and it is located at  $f_{CIN}$  where  $f_{CIN}$  is given by:

$$f_{CIN} = \frac{1}{2\pi(R_1||(R_2 + R_3||R_4))C_{IN}}. \quad (9)$$

A graphical technique can be used to determine  $A\beta/(1+A\beta)$ . The loop gain is shown in plot #1. Frequency  $f_{CIN}$  must occur after the loop gain crosses 0 dB so that it appears in the complete closed-loop gain of the circuit. Plot #2 demonstrates the graphical technique of determining  $A\beta/(1+A\beta)$ . First,  $A\beta$  is redrawn. Next,  $1+A\beta$  is shown to follow  $A\beta$  until 0 dB where it levels off and remains at 0 dB for high frequencies.

$1/(1+A\beta)$  is the same shape as  $1+A\beta$ , only it is mirrored about 0 dB. Finally, since the plots are on the log scale,  $A\beta/(1+A\beta)$  is found graphically by subtracting the  $1/(1+A\beta)$  function from the  $A\beta$  function. The result is shown in plot #3 as  $A\beta/(1+A\beta)$ . To determine the overall closed-loop response of the test circuit,  $1/\beta$  is multiplied with  $A\beta/(1+A\beta)$ . This closed-loop gain function of the test circuit is indeed what can be observed on a gain-phase analyzer.



It remains to determine  $f_{C_{IN}}$  from the closed-loop response function. An approximation using the ratios of gains and frequencies can be used to find  $f_{C_{IN}}$ . In the case where the frequencies of interest are widely separated, the following approximation is sufficient for determining  $f_{C_{IN}}$ :

$$f_{C_{IN}} = \frac{(f_{0dB})^2}{f_{3dB} A_{CL\_DC}} \quad (10)$$

where  $f_{0dB}$  is the frequency at which the closed-loop gain of the amplifier reaches 0 dB,  $f_{3dB}$  is the 3 dB frequency of the circuit configuration and  $A_{CL\_DC}$  is the dc closed-loop gain of the circuit. Once  $f_{C_{IN}}$  has been determined, a simple back calculation for  $C_{IN}$  can be performed since the resistor values of the circuit are known:

$$C_{IN} = \frac{1}{2\pi f_{C_{IN}} (R_1 || (R_2 + R_3 || R_4))}. \quad (11)$$

### Test Conditions:

- Set the power supplies to the specified value.
- $T = 25^\circ\text{C}$

### Test Method:

Key to implementing this test circuit for measuring input capacitance is a proper choice of resistor values:  $R_1$ ,  $R_2$ ,  $R_3$  and  $R_4$ . These resistor values must be chosen such that  $f_{C_{IN}}$  is significantly greater than  $f_{3dB}$  and significantly less than  $f_{0dB}$ . For this to be true, the dc gain of the circuit must be high, about 1000 V/V, and the impedance seen by  $C_{IN}$  must be significantly large, on the order of 50 k $\Omega$  to 500 k $\Omega$ . A typical choice of resistor values might be:

$$\begin{aligned} R_1 &= 500 \text{ k}\Omega \\ R_2 &= 1 \text{ M}\Omega \\ R_3 &= 2 \text{ k}\Omega \\ \text{and } R_4 &= 1 \text{ M}\Omega. \end{aligned}$$

The parasitic capacitance associated with  $R_1$  introduces a zero at high frequencies. If this zero affects the placement of  $f_{0dB}$ , an erroneous  $C_{IN}$  measurement will be made. The value of  $R_1$  should not be greater than 500 k $\Omega$  in order to avoid this situation.

With the resistor values shown above,  $1/\beta$ , which is approximately the dc gain of the circuit, is 1004 V/V. The resistance seen by  $C_{IN}$ , given in equation 11, is  $334\text{ k}\Omega$ . This would place  $f_{CIN}$  at 119 kHz for an op amp with  $C_{DIFF} + C_{CM} = 4\text{ pF}$  such as the OPA131.

Once resistor values have been chosen, the circuit transfer function can be determined by the use of a gain-phase analyzer. A small input voltage must be used to avoid slew limiting. An input voltage level of  $500\text{ }\mu\text{V}$  to  $1\text{ mV}$  is typical. Values from the transfer function are used directly in equations 10 and 11 to calculate  $C_{IN}$ .

Since equation 10 is an approximation that is valid for widely separated pole and zero frequencies, the resistor values  $R_1$ ,  $R_2$ ,  $R_3$  and  $R_4$  must be chosen in order to place  $f_{CIN}$  at a frequency where the approximation is satisfactory. The accuracy of the measurement can easily be verified by artificially placing a small known capacitance across the inputs of the op amp. A 1 pF capacitor works well. With the extra capacitance in place, the test procedure can be repeated to observe how well the extra 1 pF is resolved. If  $f_{CIN}$  is not significantly greater than  $f_{3dB}$ , an increase of less than 1 pF will be observed and it can be concluded that the original  $C_{IN}$  measurement was lower than the actual value of  $C_{IN}$ . In this case, an appropriate adjustment of  $R_1$  and  $R_3$  to increase  $f_{CIN}$  and maintain a gain of 1000 V/V should be made. On the other hand, if an increase of greater than 1 pF is observed,  $f_{CIN}$  should be decreased by choosing new values for  $R_1$  and  $R_2$  while maintaining a gain of 1000 V/V. The test procedure can be repeated until the added capacitance is resolved with an acceptable amount of error. Finally, once  $C_{IN}$  has been determined, equation 1 can be used to calculate the differential input capacitance of the amplifier.

## COOKBOOK TEST PROCEDURE:

- Measure resistors  $R_1$ ,  $R_2$ ,  $R_3$  and  $R_4$ .
- Measure the dc gain of the circuit:  $A_{CL\_DC}$ .
- Measure  $f_{3dB}$ .
- Measure  $f_{0dB}$ .
- Calculate  $C_{IN}$  using equations 10 and 11.
- Measure a 1 pF capacitor.
- Add the 1 pF capacitor across the input terminals of the op amp.
- Measure the dc gain of the circuit:  $A_{CL\_DC}$ .
- Measure  $f_{3dB}$ .
- Measure  $f_{0dB}$ .
- Calculate  $C_{IN}$  using equations 10 and 11.
- Make appropriate adjustments to  $R_1$  and  $R_3$  and repeat this procedure until the additional 1 pF capacitor is resolved with an acceptable error.
- Calculate  $C_{DIFF}$  using equation 1.

## Special Considerations:

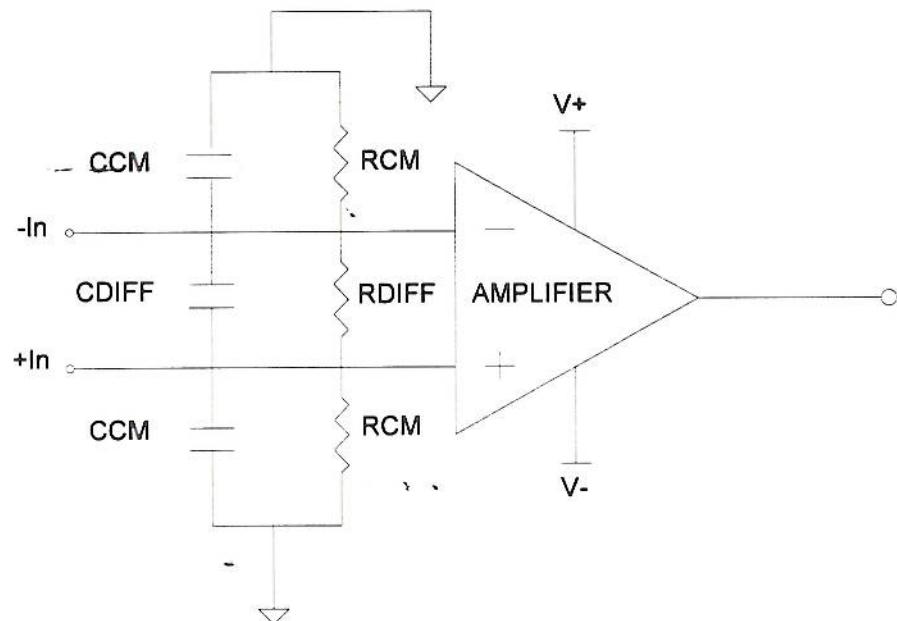
The capacitance that is being measured is comparable to typical parasitics found on bread boards or other test boards. Perf board without metal traces or possibly air-wiring should be used to build the test circuit.

Only those units that show a two-pole response in the closed-loop gain can be measured using the technique described above. For example, the OPA627 exhibits the two-pole response, however, the OPA27 does not.

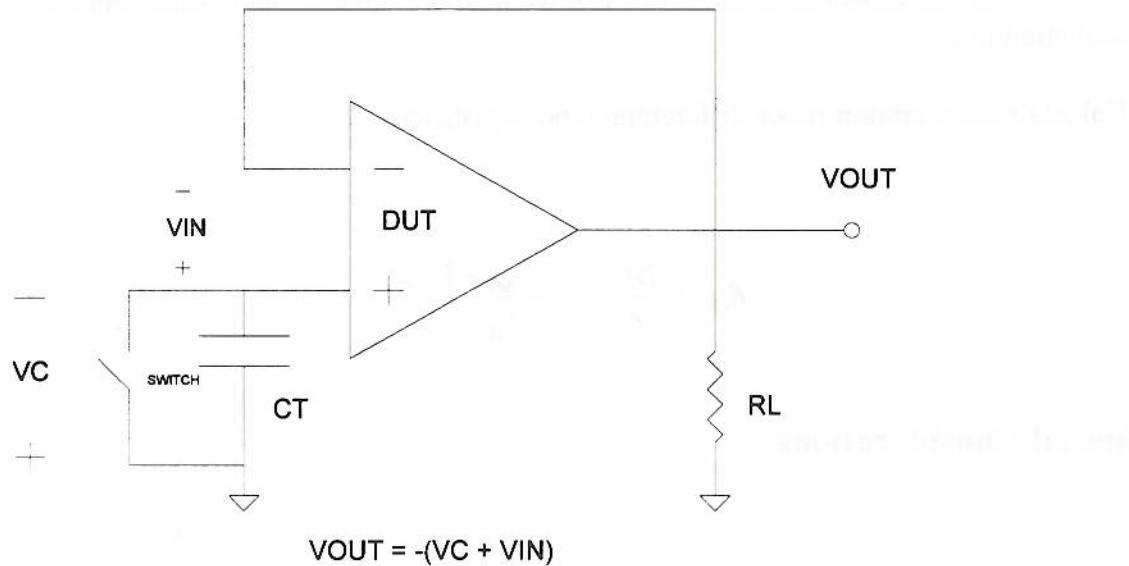
## Parameter: Common-Mode Input Resistance ( $R_{CM}$ )

**Definition:** The equivalent resistance from an input terminal to ground. As shown in the circuit diagram below, common-mode input resistance is one of several specified input impedances. Mathematically,  $R_{CM}$  is defined as the incremental change in common-mode voltage with an incremental change in bias current:

$$R_{CM} = \frac{\Delta V_{CM}}{\Delta I_B}.$$



## Test Circuit:



## Test Conditions:

- Set the power supplies to the specified value.
- $T = 25^\circ\text{C}$

## Test Method:

The common-mode input resistance is measured by calculating  $\Delta V_{CM}/\Delta I_B$ . The test circuit used for finding  $I_B$  is a convenient way to measure both a change in common-mode voltage and a change in input bias current. The bias current can be calculated at two common-mode voltage levels. Using the integration method, however, a calculation of  $I_B$  must be made while allowing the common-mode voltage to vary a small amount.

- Measure  $I_B$  at a given common-mode voltage:  $V_{CM1}, I_{B1}$ .

For example, measure  $I_{B1}$  at a common-mode voltage of -100 mV by measuring the integration time needed for the output to decrease from -50 mV to -100 mV. Use the equations given in the Test Method section of input bias current for calculating  $I_{B+}$ .

- Measure  $I_B$  at a second common-mode voltage:  $V_{CM2}, I_{B2}$ .

Continuing with the example, measure  $I_{B2}$  at a common-mode voltage of -500 mV by measuring the integration time needed for the output to decrease from -450 mV to -500 mV. Use the equations given in the Test Method section of input bias current for calculating  $I_{B+}$ .

- Calculate the common-mode differential input resistance:

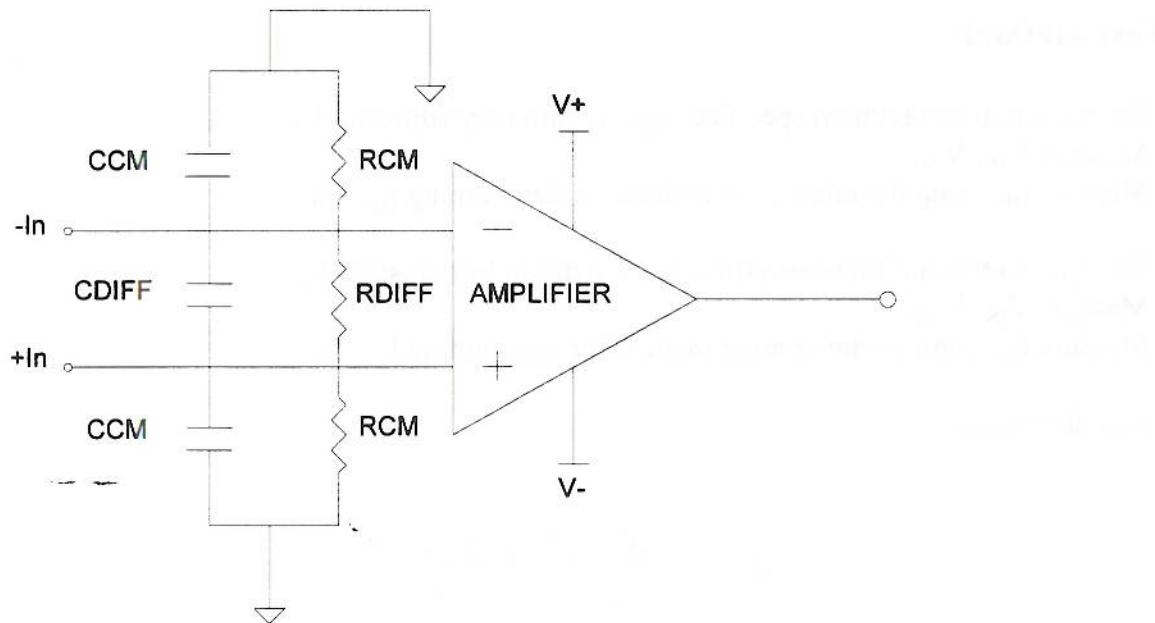
$$R_{CM} = \frac{\Delta V_{CM}}{\Delta I_B} = \frac{V_{CM1} - V_{CM2}}{I_{B1} - I_{B2}}.$$

### Special Considerations:

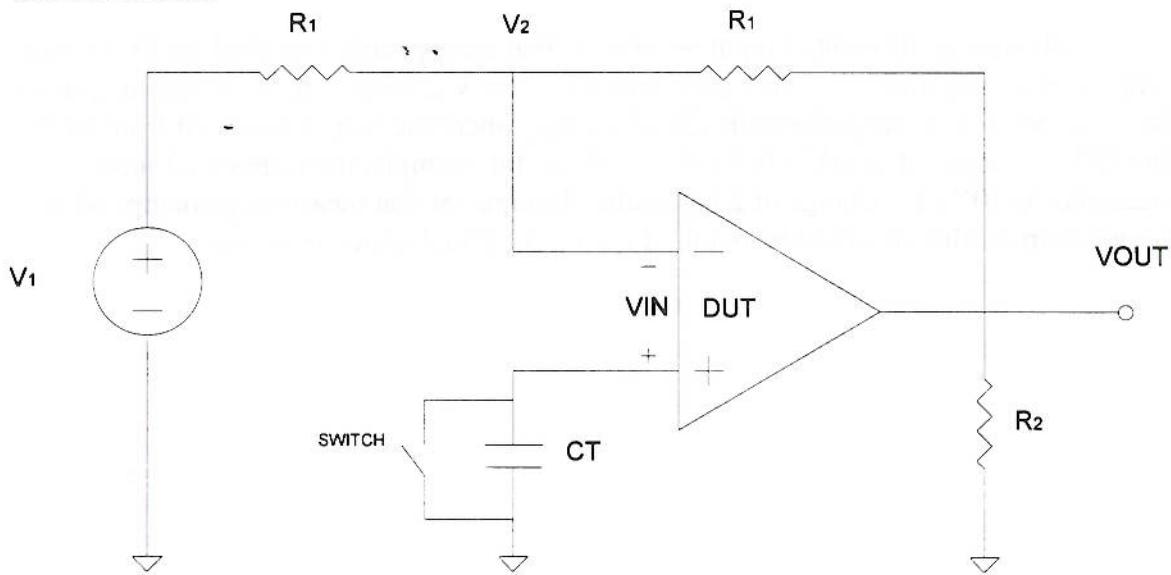
### Parameter: Differential Input Resistance ( $R_{DIFF}$ )

**Definition:** The equivalent resistance between the input terminals of the operational amplifier. As shown in the circuit diagram below, differential input resistance is one of several specified input impedances. Mathematically,  $R_{DIFF}$  is defined as the incremental change in differential input voltage with an incremental change in bias current:

$$R_{DIFF} = \frac{\Delta V_{IN}}{\Delta I_B}.$$



### Test Circuit:



## Test Conditions:

- Set the power supplies to the specified value.
- Choose  $R_2$  to establish the specified load:  $R_{LOAD} \cong R_2 || R_1$ .
- $T = 25^\circ C$

## Test Method:

- Set  $V_{OUT}$  to the maximum specified  $A_{OL}$  condition by adjusting  $V_1$ .
- Measure  $V_{IN}$ :  $V_{IN1}$ .
- Measure  $I_{B+}$  using the integration method for determining  $I_{B+}$ :  $I_{B1}$ .
- Set  $V_{OUT}$  to the minimum specified  $A_{OL}$  condition by adjusting  $V_1$ .
- Measure  $V_{IN}$ :  $V_{IN2}$ .
- Measure  $I_{B+}$  using the integration method for determining  $I_{B+}$ :  $I_{B2}$ .
- Calculate  $R_{DIFF}$ :

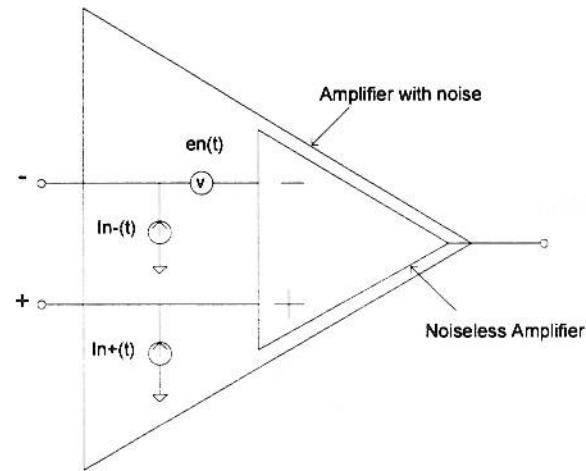
$$R_{DIFF} = \frac{\Delta V_{IN}}{\Delta I_B} = \frac{V_{IN1} - V_{IN2}}{I_{B1} - I_{B2}}.$$

## Special Considerations:

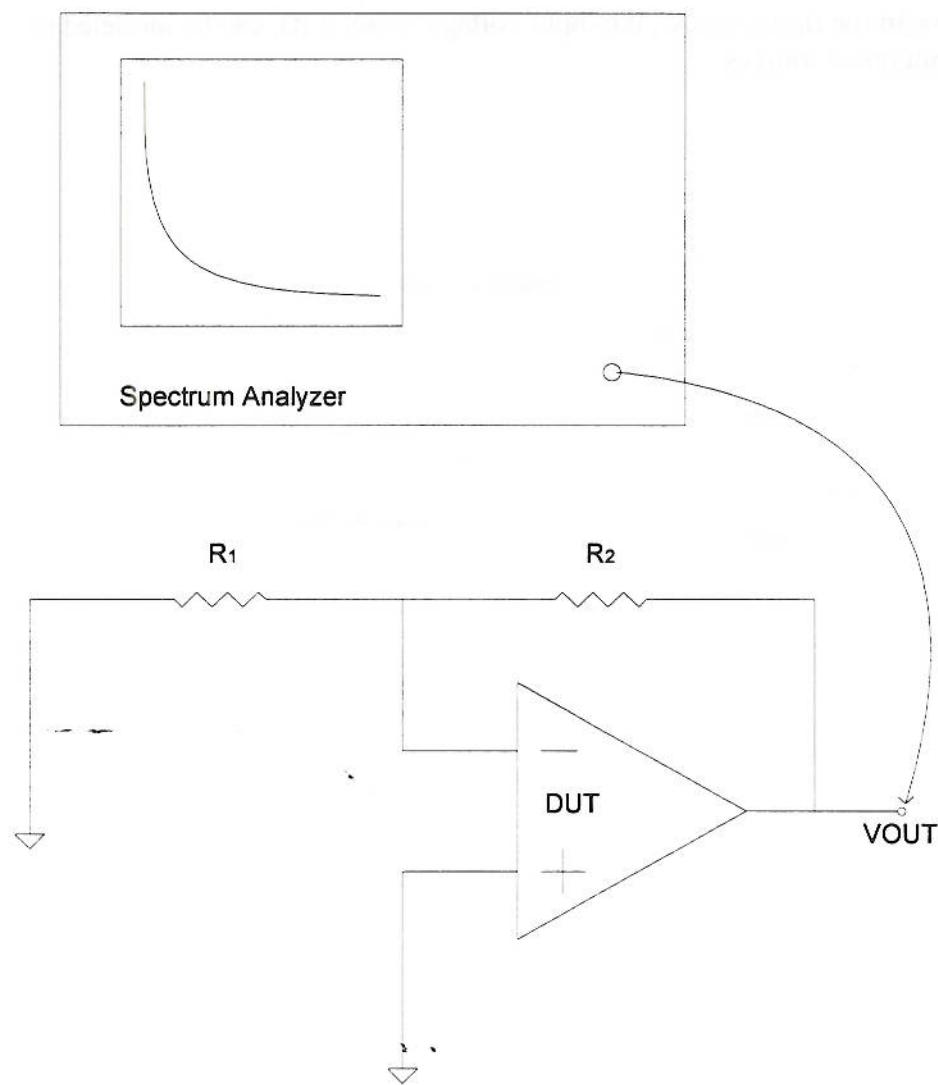
Measuring differential input resistances that are typically specified for FET-input amplifiers is very difficult. For a given change in the  $V_{IN}$ , a very small change in  $I_B$  must be resolved. For an amplifier with 120 dB of  $A_{OL}$  where the output is moved from 10 V to -10 V, a change of 20  $\mu$ V will be observed. If, for example, the differential input resistance is  $10^{10} \Omega$ , a change of 2 fA results. Equipment that measures picoamps with femptoamp resolution would be required for a typical FET-input amplifier.

## Parameter: Input Voltage Noise Density

**Definition:** The input voltage noise is the time varying component of the input offset voltage. As shown in the figure below, the input voltage noise,  $e_n(t)$ , can be modeled as one of several input noise sources.

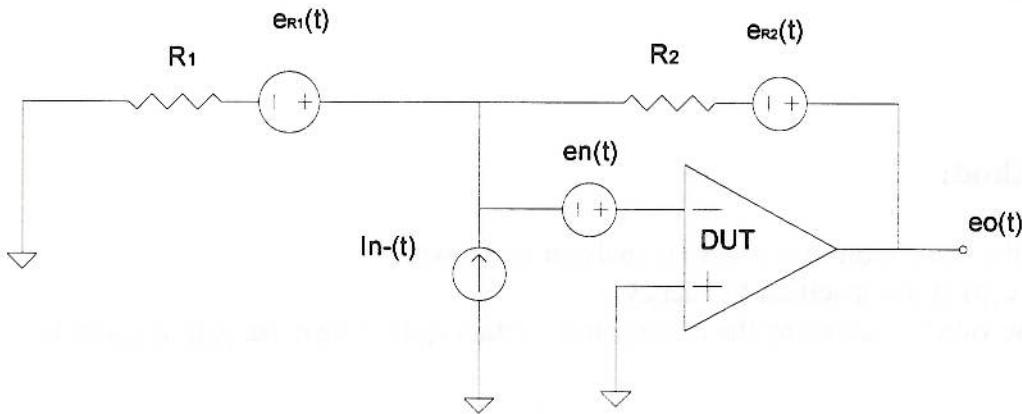


## Test Circuit:



## About the Test Circuit:

The test circuit including relevant noise sources is shown below.



$$e_o(t) = e_n(t) \left( 1 + \frac{R_2}{R_1} \right) + I_n(t)(R_2) + e_{R1}(t) \left( \frac{R_2}{R_1} \right) + e_{R2}(t)$$

The objective in selecting resistors  $R_1$  and  $R_2$  is to minimize the relative input-referred contribution of the noise sources that are not being measured. In this case, they are  $I_n(t)$ ,  $e_{R1}(t)$  and  $e_{R2}(t)$ . The contribution of  $I_n(t)$  can be minimized by selecting a small value of  $R_1$ . The contribution of  $e_{R2}(t)$  can be reduced by placing the amplifier in a high gain. Since  $e_n(t)$  and  $e_{R1}(t)$  are gained up by approximately the same amount for high gains, resistor  $R_1$  must be selected such that the noise contribution from  $R_1$  is at least four times less than the predicted value of  $e_n(t)$ , the value to be measured.  $e_{R1}(t)$  is given by:

$$e_{R1}(t) = \sqrt{4kTR_1}.$$

For

$$e_n(t) \geq 4e_{R1}(t),$$

resistor  $R_1$  is given by:

$$R_1 \leq \frac{(e_n(t))^2}{64kT}$$

### **Test Conditions:**

- Set the power supplies to the specified value.
- Select  $R_1$  and  $R_2$  per the discussion given above.
- $T = 25^\circ\text{C}$

### **Test Method:**

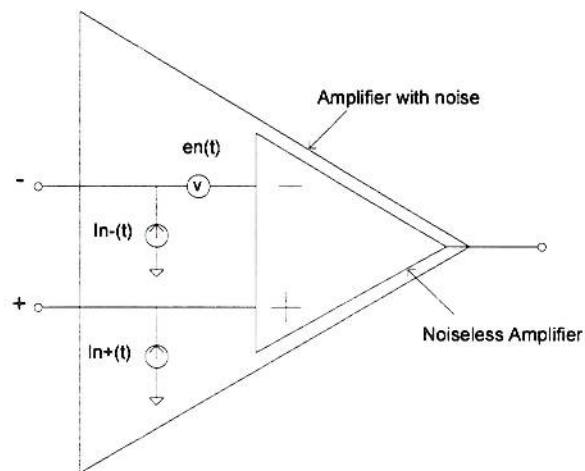
- Connect the test circuit to a spectrum analyzer as shown.
- Measure  $e_o(t)$  at the specified frequency.
- Divide the value obtained by the noise gain to obtain  $e_n(t)$ . The noise gain is given by:

$$\text{Noise\_gain} = \left(1 + \frac{R_2}{R_1}\right).$$

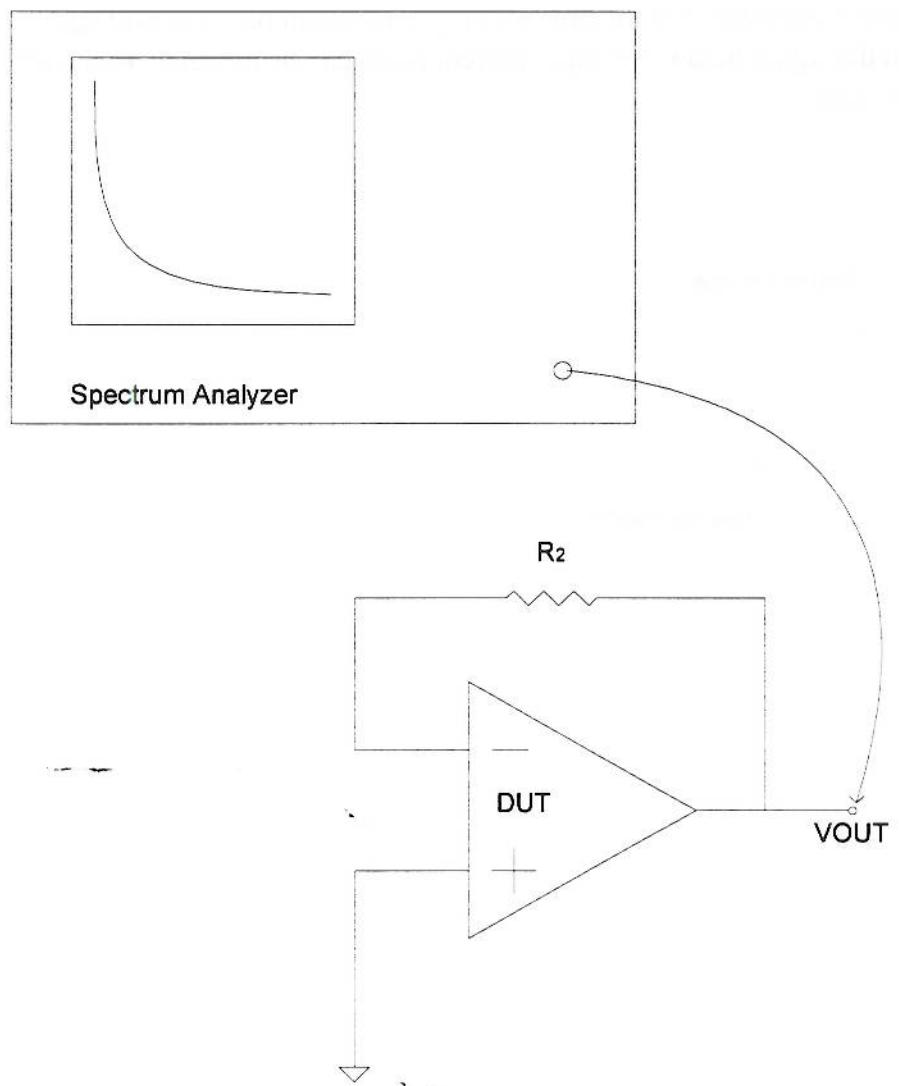
### **Special Considerations:**

## Parameter: Input Current Noise Density

**Definition:** The input current noise is the time varying component of the input bias current. As shown in the figure below, the input current noise can be modeled as one of several input noise sources.

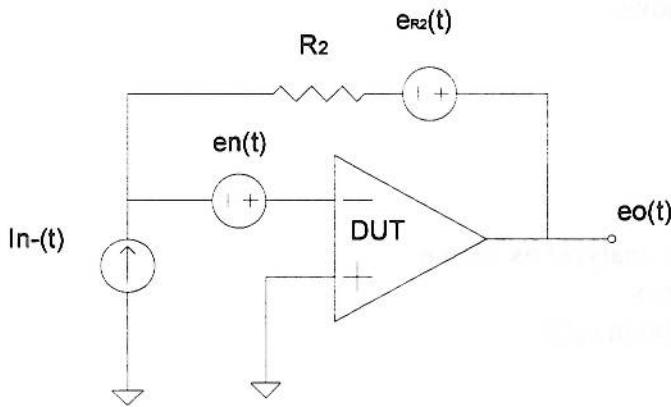


## Test Circuit:



## About the Test Circuit:

The test circuit including relevant noise sources is shown below.



$$e_o(t) = e_n(t) + I_{n-}(t)(R_2) + e_{R2}(t)$$

The objective in selecting resistor  $R_2$  is to minimize the relative input-referred contribution of the noise sources that are not being measured. In this case, they are  $e_n(t)$  and  $e_{R2}(t)$ . The contribution of  $I_{n-}(t)$  can be made much larger than that of  $e_n(t)$  by selecting a large value of  $R_2$ .  $R_2$  should be selected so that the contribution of  $e_{R2}(t)$  to the output voltage is at least four times less than  $I_{n-}(t)(R_2)$ . This  $I_{n-}(t)(R_2)$  contribution is given by:

$$I_{n-}(t)(R_2) = \sqrt{2qI_{B-}}(R_2) \cdot \sqrt{4kT R_2}$$

For

$$I_{n-}(t)(R_2) \geq 4e_{R2}(t),$$

$$\frac{R_2}{R} = \frac{16kT}{2qI_{B-}}$$

$R_2$  must be given by:

$$R_2 \geq \frac{4kT}{qI_{B-}} \cdot \frac{32kT}{qI_{B-}}$$

### Test Conditions:

- Set the power supplies to the specified value.
- Select  $R_2$  per the discussion given above.
- $T = 25^\circ\text{C}$

### Test Method:

- Connect the test circuit to a spectrum analyzer as shown.
- Measure  $e_o(t)$  at the specified frequency.
- Divide the value obtained by  $R_2$  to obtain  $e_n(t)$ .

### Special Considerations:

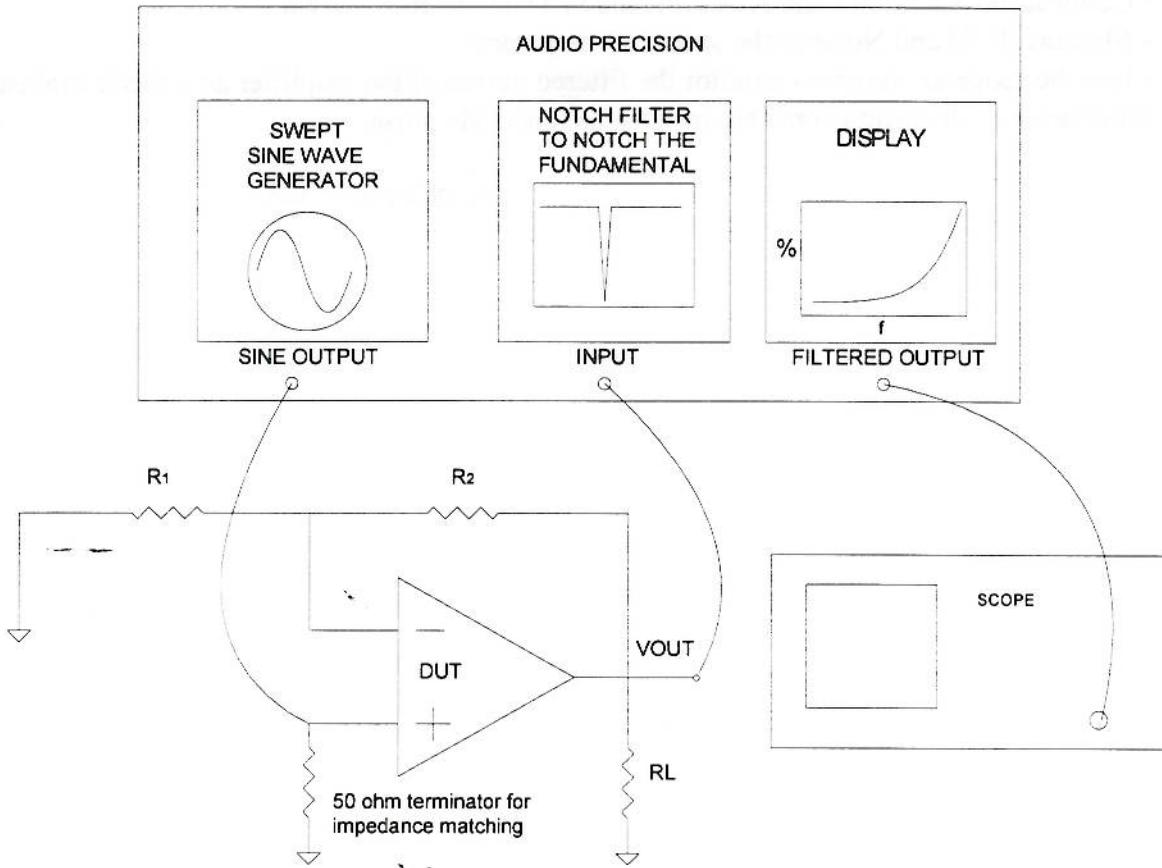
A typical bipolar-input amplifier with 5 nA of input bias current would require  $R_2$  to be greater or equal to  $20\text{ M}\Omega$ . On the other hand, a typical FET-input amplifier with 5 pA of input bias current would require  $R_2$  to be greater than or equal to  $20 \times 10^9\text{ }\Omega$ .

# add high noise gain test method

**Parameter:** Total Harmonic Distortion Plus Noise (THD + Noise)

**Definition:** The ratio of the rms value of the harmonic components of the output and the rms value of the noise at the output to the rms value of the fundamental component of the output.

## Test Circuit:



## Test Conditions:

- Set the power supplies to the specified value.
- Choose  $R_L$  to establish the specified load:  $R_{LOAD} = R_L \parallel (R_2 + R_1)$
- $T = 25^\circ C$

### Test Method:

- Choose  $R_1$  and  $R_2$  to establish the specified gain.

$$GAIN = 1 + \frac{R_2}{R_1}$$

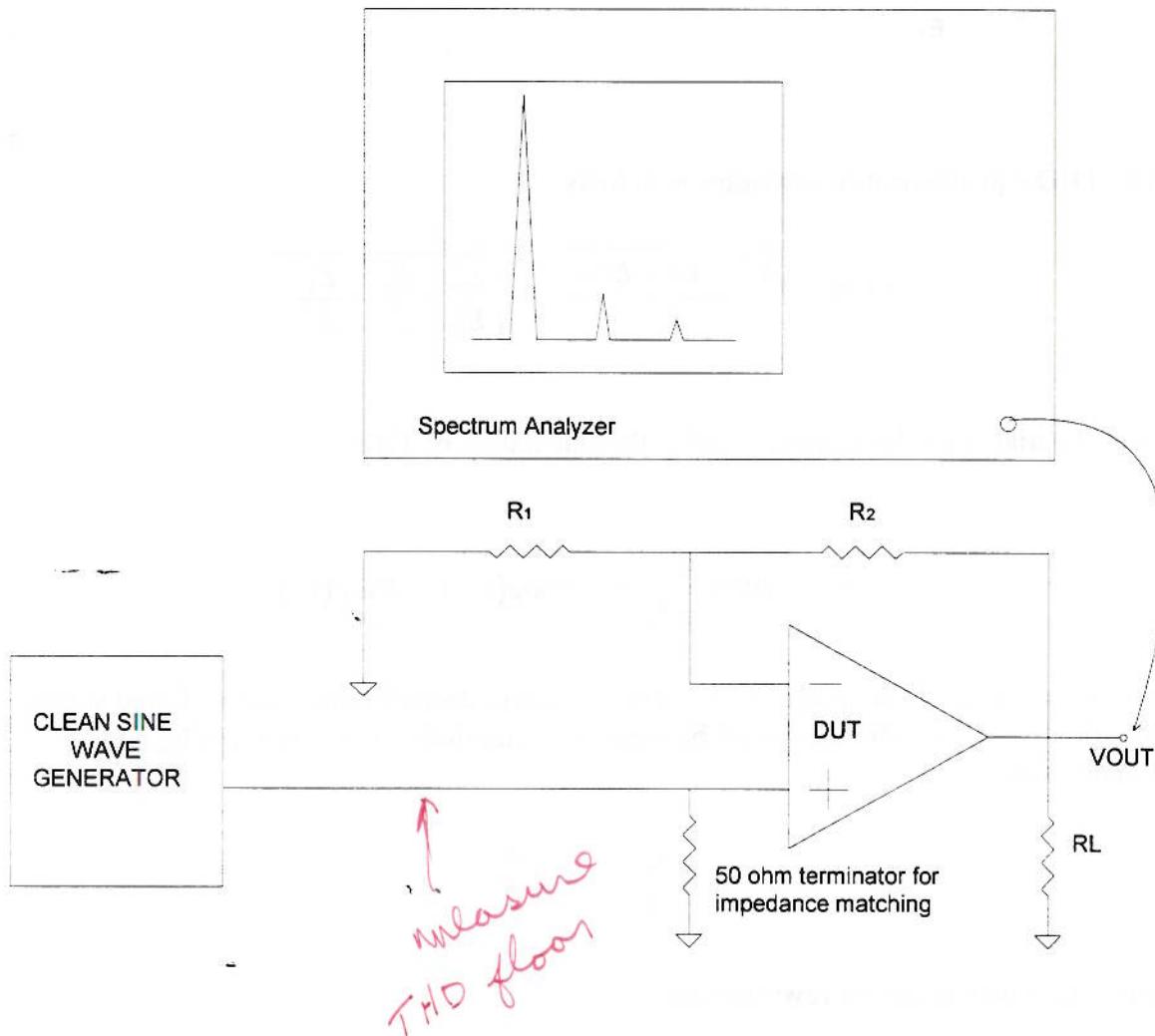
- Connect the test circuit and Audio Precision THD meter as shown.
- Measure THD and Noise at the specified frequency.
- Use the scope as shown to monitor the filtered output of the amplifier as a check against other noise or distortion contributors such as line cycle noise.

*crossover*

## Higher Frequency Measurements

To make THD measurements at frequencies beyond the range of the Audio Precision THD meter, the following method can be used to measure THD with a spectrum analyzer.

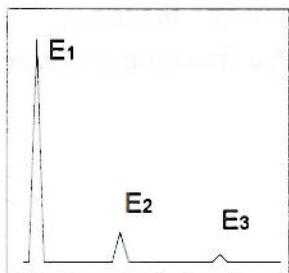
### Test Circuit:



### Test Method:

- Connect the test circuit and spectrum analyzer as shown.
- Set the function generator to output a sine wave at the specified frequency.

- The output of the spectrum analyzer will show a peak at the fundamental frequency and smaller peaks at the harmonic frequencies:



The THD equation can be rewritten as follows:

$$THD = \frac{\sqrt{E_2^2 + E_3^2 + E_4^2 + \dots}}{E_1} = \sqrt{\frac{E_2^2}{E_1^2} + \frac{E_3^2}{E_1^2} + \frac{E_4^2}{E_1^2} + \dots}$$

A new variable can be defined to aid in the calculation of THD:

$$dBc_X = 20 \log\left(\frac{E_X}{E_1}\right) = 20 \log(E_X) - 20 \log(E_1)$$

Since the output of the spectrum analyzer is given in decibels,  $dBc_X$  can be found simply by calculating the difference in dB between the magnitudes of the peaks of  $E_X$  and  $E_1$ . Finally, since

$$\left(\frac{E_X}{E_1}\right)^2 = 10^{\frac{dBc_X}{10}},$$

the THD equation can be rewritten as:

$$THD = \left( \sqrt{10^{\frac{dBc_2}{10}} + 10^{\frac{dBc_3}{10}} + 10^{\frac{dBc_4}{10}} + \dots} \right) (100)\%$$

Once all of the  $dBc_X$  values have been found using the spectrum analyzer, THD can be calculated.

### Special Considerations:

## APPENDIX A: Differential input voltage.

$V_{OS}$  is one of several components that comprise the differential input voltage of an op amp.  $V_{IN}$  can be written as the sum of the contributions due to the initial  $V_{OS}$ , the temperature-dependent drift component of  $V_{OS}$ , input voltage required due to finite open loop gain ( $A_{OL}$ ), errors due to finite common-mode rejection (CMR) and power supply rejection (PSR):

$$V_{IN} = V_{OS} + \frac{\partial V_{OS}}{\partial T}(\Delta T) + \frac{V_{OUT}}{A_{OL}} + CMRR \times V_{CM} + PSRR^+ \times \Delta(V+) + PSRR^- \times \Delta(V-).$$

$V_{OUT}$  - the output voltage of the amplifier.

$A_{OL}$  - the open-loop gain of the amplifier.

$T$  - the temperature of the amplifier.

$\Delta T$  - the difference between the temperature of the amplifier and 25 °C: ( $T - 25$  °C).

CMRR - the common-mode rejection ratio which in this case has units of V/V.

$V_{CM}$  - the voltage common to both inputs of the amplifier.

$PSRR^+$  - the positive power supply rejection ratio which in this case has units of V/V.

$\Delta(V\pm)$  - the difference between the positive power supply voltage and the specified power supply voltage:  $((V+) - (V+)_{SPECIFIED})$ .

$PSRR^-$  - the negative power supply rejection ratio which in this case has units of V/V.

$\Delta(V-)$  - the difference between the negative power supply voltage and the specified power supply voltage:  $((V-) - (V-)_{SPECIFIED})$ .

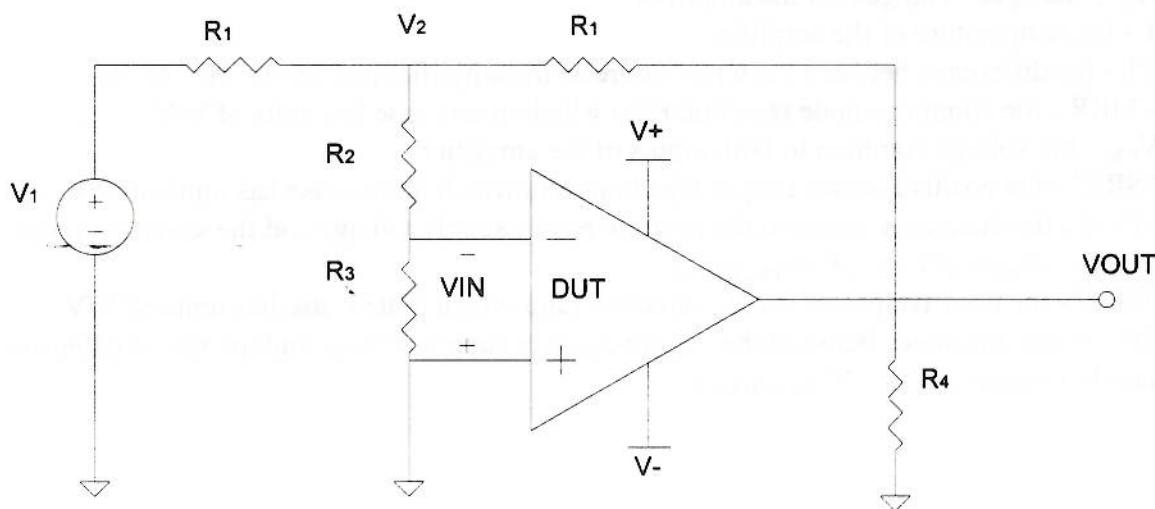
## Appendix B: False Summing Junction Test Circuit

The test circuit shown below is essentially a unity gain, inverting op amp configuration. Resistors  $R_2$  and  $R_3$  simply gain up the input voltage  $V_{IN}$  such that the voltage  $V_2$  is given by:

$$V_2 = -V_{IN} \left( 1 + \frac{R_2}{R_3} \right)$$

The node labeled "V<sub>2</sub>" is the summing junction of the circuit configuration. As in standard op amp configurations this node is approximated to be at ground for purposes of calculating the load:

$$R_{LOAD} \cong R_1 \parallel R_4$$



The amount of error introduced into the circuit by  $R_2$  and  $R_3$  is proportional to the amount by which  $V_{IN}$  is gained up.

Suggested resistor values:

$$R_1 = 10\text{k}\Omega$$

$$R_2 = 10\text{k}\Omega$$

$$R_3 = 100 \Omega$$

$$R_4 = 2.5 \text{ k}\Omega \text{ for } R_{LOAD} \cong 2 \text{ k}\Omega$$

- A note about the power supplies: 3.3  $\mu\text{F}$  tantalum capacitors are typically used to bypass both of the supplies to ground.

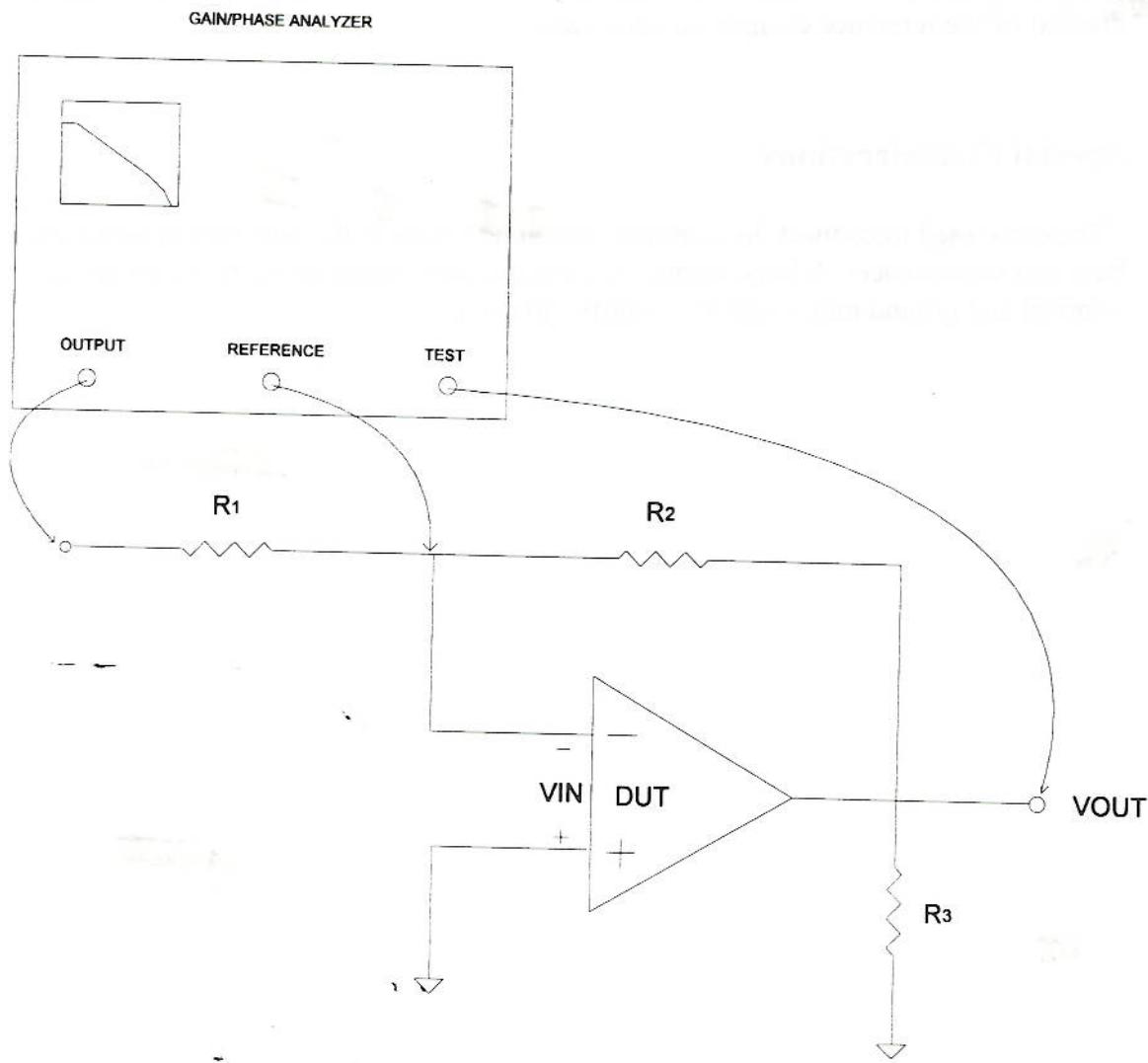
**Op Amp Glossary of Terms**  
**Part II: Performance Curves**  
**Thatcher Klumpp, Aug. 22, 1995**

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## Performance Curve: Open-Loop Gain/Phase versus Frequency

### Test Circuit:



### Test Conditions:

- Set the power supplies to the specified value.
- Choose  $R_1$  and  $R_2$  to establish an arbitrary gain.
- Choose  $R_3$  to establish the specified load:  $R_{LOAD} \approx R_2 \parallel R_3$ .
- $T = 25^\circ C$

### **Test Method:**

- Connect the Gain/Phase analyzer to the test circuit as shown and plot the test channel divided by the reference channel on a log scale.

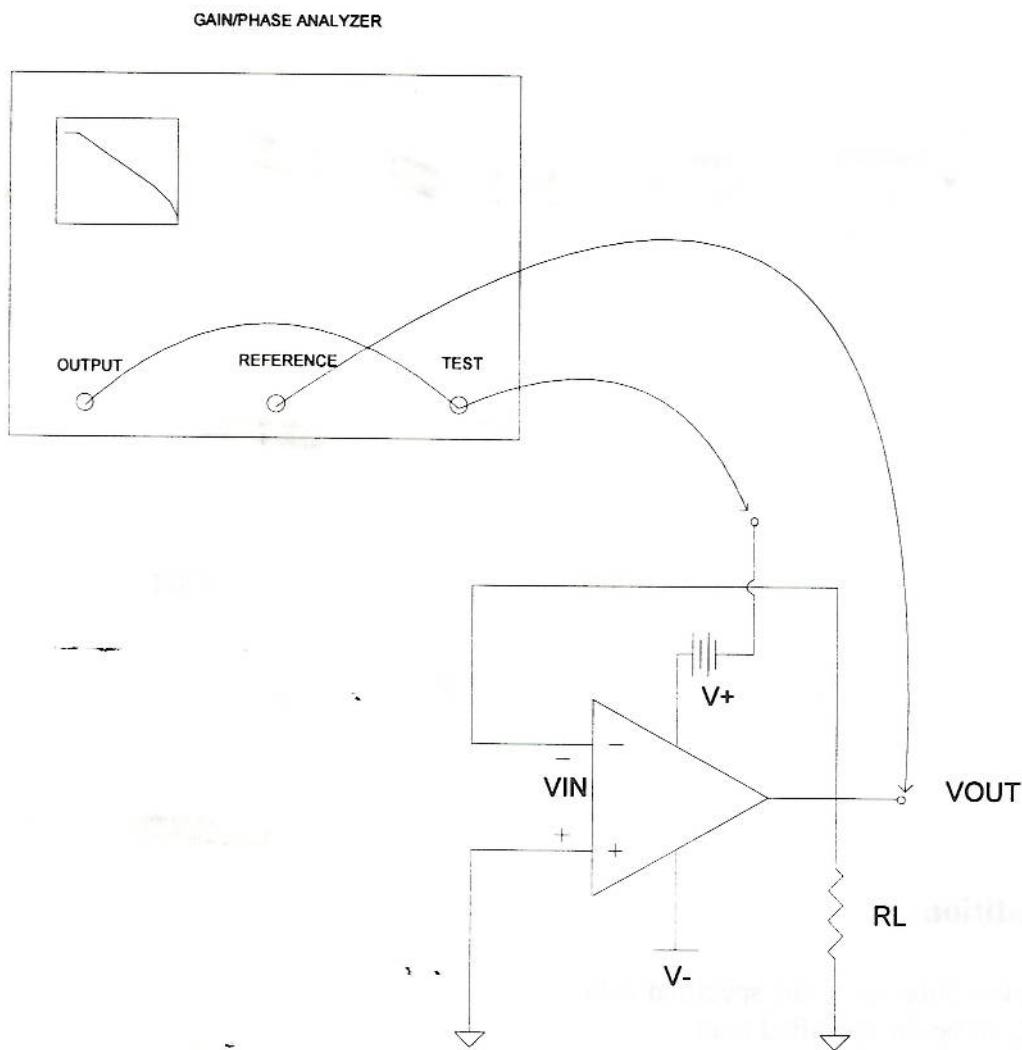
### **Special Considerations:**

- The cable used to connect the summing junction voltage to the reference channel must have low capacitance. A large amount of parasitic capacitance between the inverting terminal and ground may cause the amplifier to oscillate.

## Performance Curve: Power Supply Rejection versus Frequency

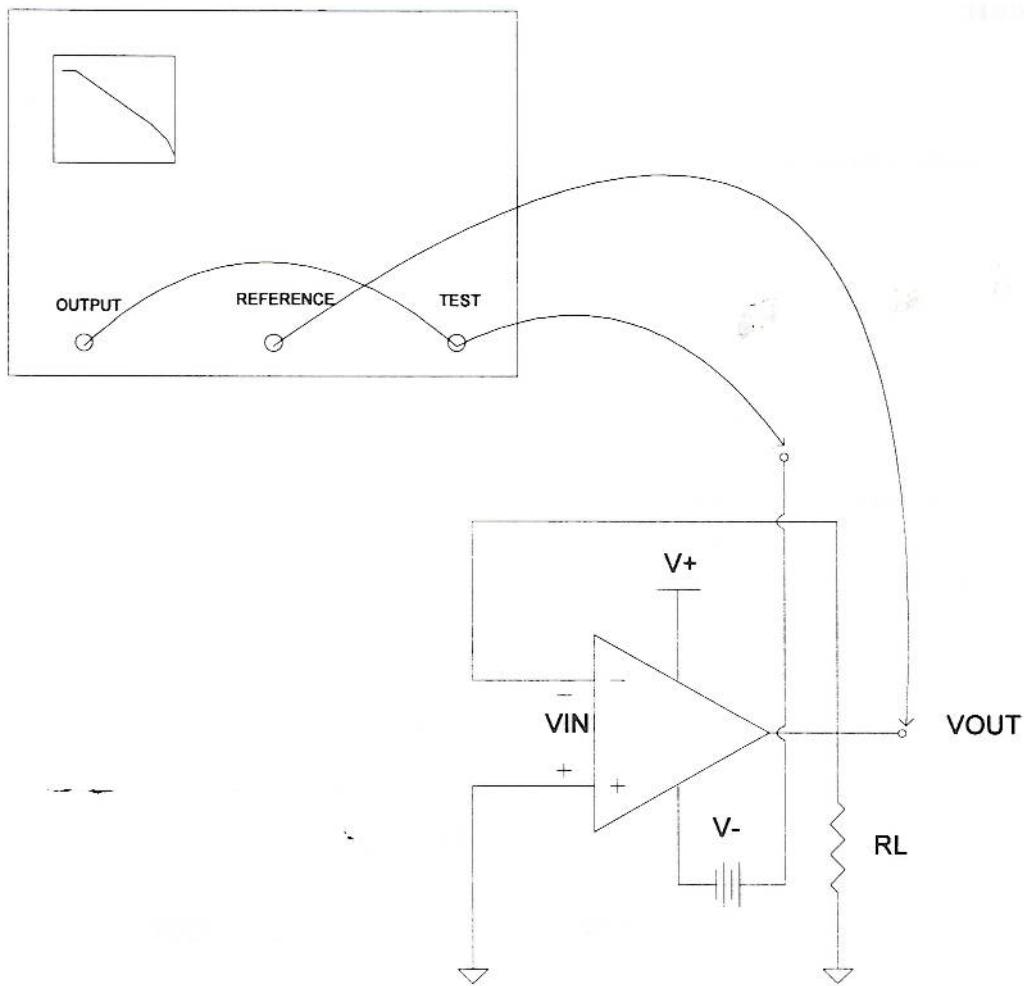
### Test Circuit:

+PSR:



-PSR:

GAIN/PHASE ANALYZER



### Test Conditions:

- Set the power supplies to the specified value.
- Choose  $R_L$  to be the specified load.
- $T = 25^\circ\text{C}$

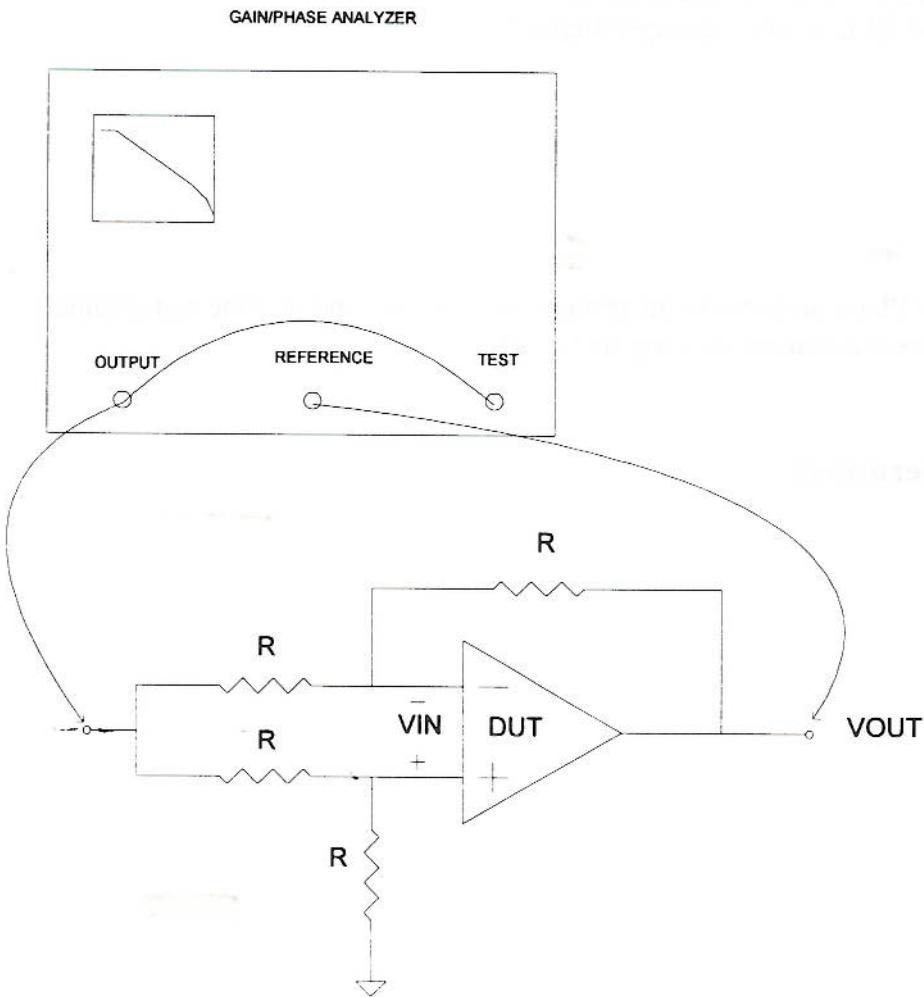
### Test Method:

- Connect the Gain/Phase analyzer to the test circuits as shown and plot the test channel divided by the reference channel on a log scale for both +PSR and -PSR.

### Special Considerations:

## Performance Curve: Common-Mode Rejection versus Frequency

### Test Circuit:



### About the Test Circuit:

The op amp is connected in the difference amplifier configuration. Since all of the resistors are equal, the output is twice the differential input voltage. The input signal voltage is two times the common-mode voltage. Plotting the test channel voltage divided by the reference channel voltage accomplishes the CMR plot of  $V_{CM}/V_{IN}$  versus frequency.

### **Test Conditions:**

- Set the power supplies to the specified value.
- Select R such that  $2R$  is equal to the specified load.
- $T = 25^\circ\text{C}$

### **Test Method:**

- Connect the Gain/Phase analyzer to the test circuit as shown and plot the test channel divided by the reference channel on a log scale.

### **Special Considerations:**

## **Performance Curve: Input Bias and Input Offset Current versus Temperature**

### **Test Circuit:**

- Use either the integration technique or the large resistor method described for measuring input bias current.

### **Test Method:**

- Measure the input bias current at various temperatures within the absolute maximum rated operating temperatures.
- Calculate the offset current at each data point.
- Plot both input bias and input offset current as a function of temperature.

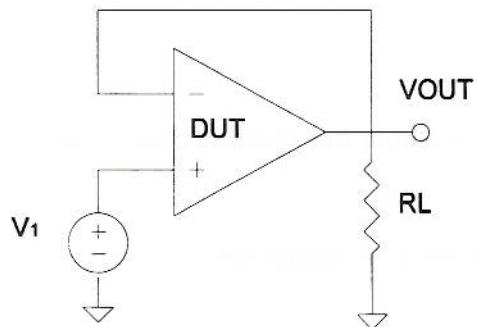
### **Special Considerations:**

- Parasitic capacitances contributed by the test fixture and the input capacitances of the amplifier make this test difficult to carry out. Perf board or air-wiring may be required to obtain an acceptable plot on the Gain/Phase analyzer.

## Performance Curve: Input Bias Current versus Input Common-Mode Voltage

### Semiconductor Parameter Analyzer Method

#### Test Circuit:



#### Test Conditions:

- Set the power supplies to the specified value.
- Choose  $R_L$  to be the specified load.
- $T = 25^\circ\text{C}$

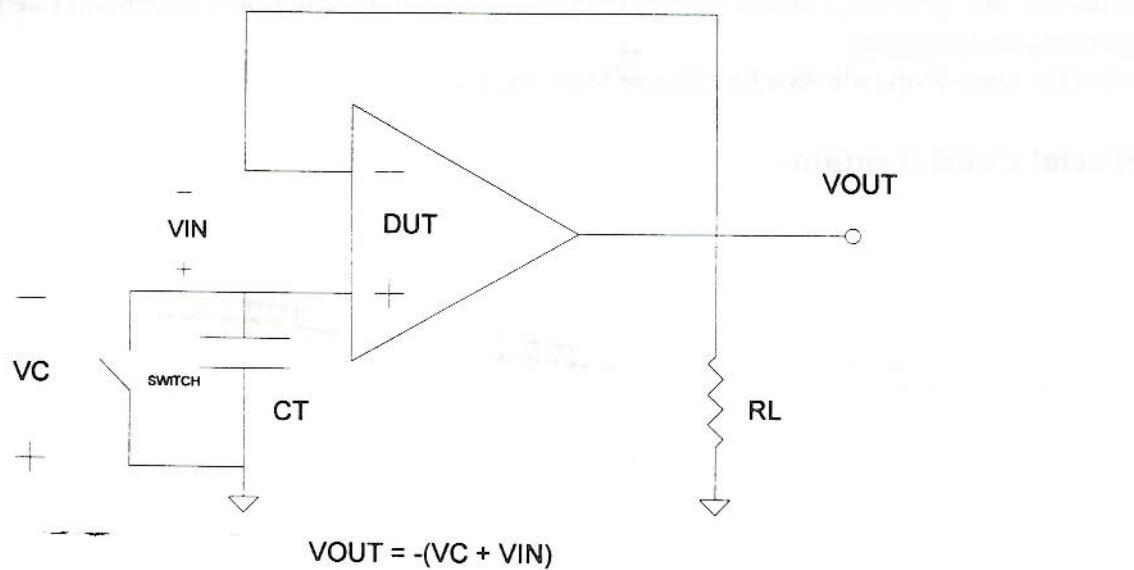
#### Test Method:

- Use a semiconductor parameter analyzer to source the voltage  $V_1$  and monitor the bias current.
- Sweep  $V_1$  over the entire common-mode input voltage range.
- Plot the input bias current versus the common-mode voltage.

## Integration Technique

### Test Circuit:

- Use the integration technique described for measuring the input bias current flowing into the noninverting terminal of the amplifier:



### Test Method:

Changing the common-mode voltage of this circuit configuration can be accomplished by changing the supply voltages while maintaining the specified voltage difference between  $V_+$  and  $V_-$ . For instance, if  $V_+$  and  $V_-$  were +15V and -15V, the common-mode voltage would be 0V. To make the common-mode voltage +10V,  $V_+$  would be 5V and  $V_-$  would be -25V. To make the common-mode voltage -10V,  $V_+$  would be 25V and  $V_-$  would be -5V.

- Measure the input bias current at various points over the common-mode input voltage range.

Note: The integration capacitor,  $C_T$ , should be chosen such that change in common-mode voltage is not significant during the integration time. 0-50mV should be sufficient.

- Plot  $I_B$  versus  $V_{CM}$  over the common-mode input voltage range.

## **Performance Curve: Open-Loop Gain versus Temperature**

### **Test Circuit:**

- Use the circuit described for measuring dc open loop gain.

### **Test Method:**

- Measure the open-loop gain at various temperatures within the absolute maximum rated operating temperatures.
- Plot the open-loop gain as a function of temperature.

### **Special Considerations:**

**Performance Curve:** Quiescent Current and Short Circuit Current versus Temperature

**Test Circuit:**

- Use the circuits described for measuring quiescent current and short-circuit current.

**Test Method:**

- Measure the quiescent current and short-circuit current at various temperatures within the absolute maximum rated operating temperatures.
- Plot the quiescent current and the short-circuit current as a function of temperature.

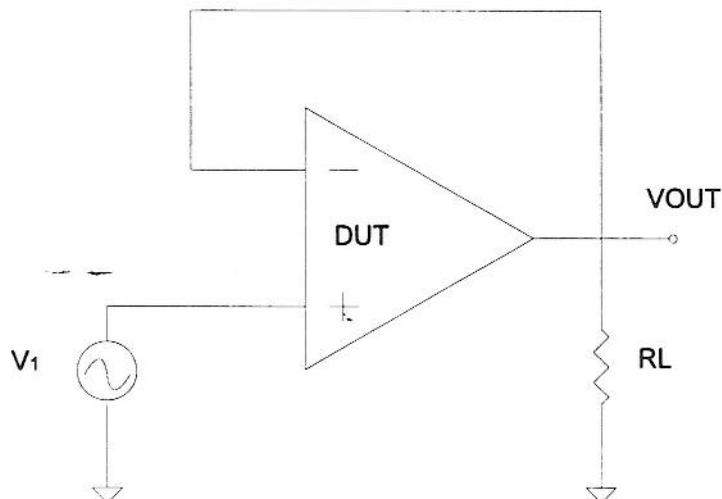
**Special Considerations:**

## Performance Curve: Maximum Output Voltage versus Frequency

**Definition:** The maximum output voltage without slew-rate induced distortion. The maximum voltage is defined by the dc  $A_{OL}$  test conditions. For a given slew rate, the maximum frequency and maximum output voltage are related by:

$$f_{MAX} = \frac{SLEW\_RATE}{2\pi V_{OUT\_MAX}}$$

## Test Circuit:



## Test Conditions:

- Set the power supplies to the specified value.
- Choose  $R_L$  to be the specified load.
- $T = 25^\circ\text{C}$

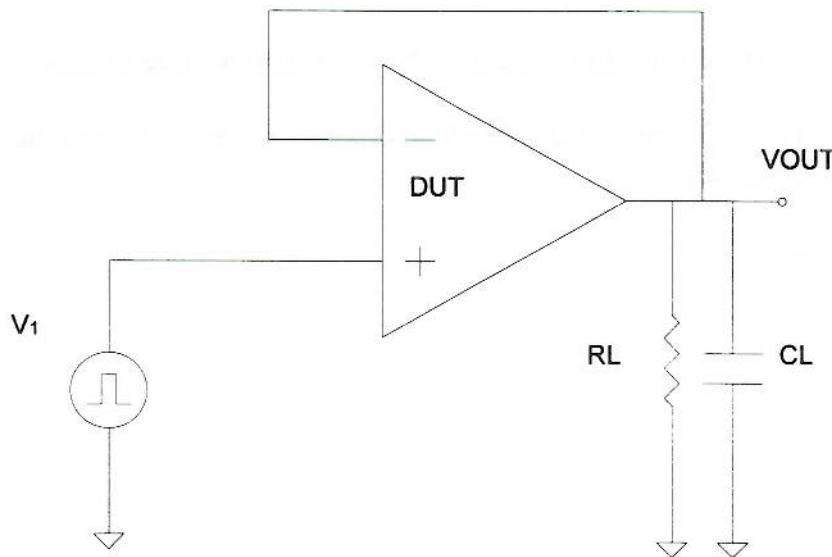
### **Test Method:**

- Set the amplitude of the sinusoidal input voltage,  $V_1$ , to the  $A_{OL}$  output voltage condition.
- Adjust the frequency of  $V_1$  and observe the output voltage of the amplifier on an oscilloscope.
- Record the frequency at which the wave form begins to become distorted due to slew limiting.
- Repeat this procedure for various output voltage levels in order to generate a plot of the maximum output voltage versus frequency.

### **Special Considerations:**

## Performance Curve: Small-Signal and Large-Signal Step Response

### Test Circuit:



### Test Conditions:

- Set the power supplies to the specified value.
- Choose  $R_L$  to be the specified resistive load.
- Choose  $C_L$  to be the specified load capacitance.
- $T = 25^\circ\text{C}$

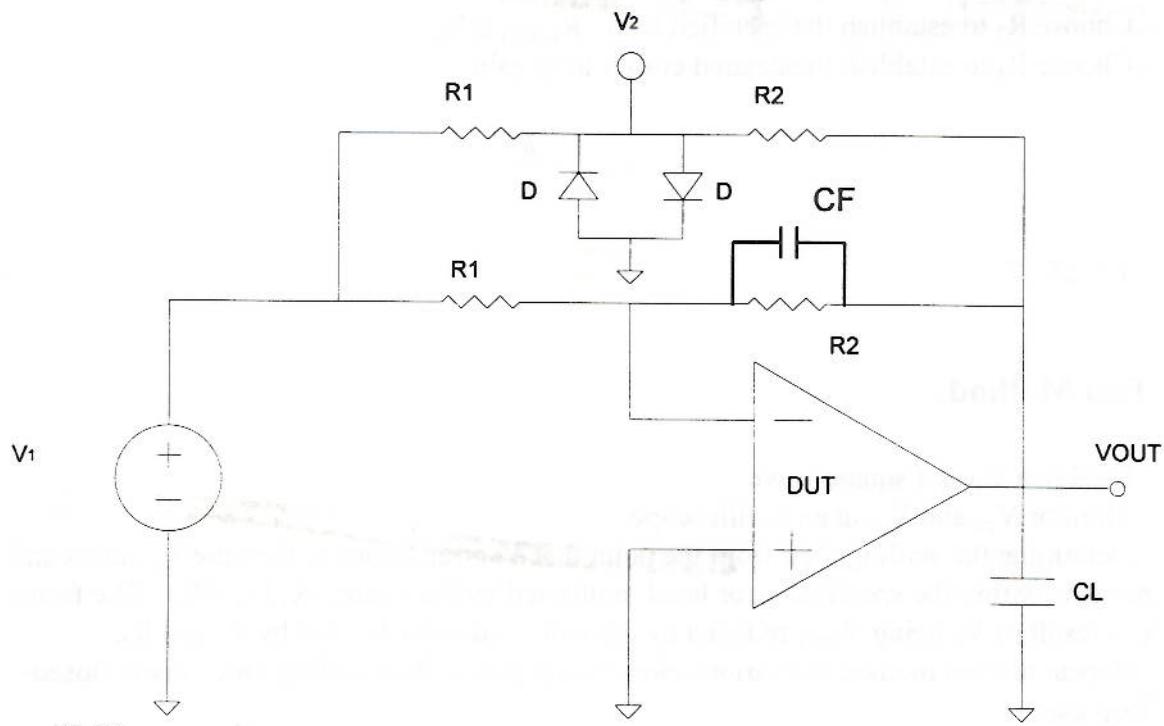
### Test Method:

- Establish  $V_1$  to be a square wave with the specified amplitude and frequency. For the small-signal case, the amplitude is typically  $\pm 100 \text{ mV}$  with a frequency of  $500 \text{ kHz}$ . For the large-signal case, the amplitude is typically  $\pm 10 \text{ V}$  with a frequency of  $100 \text{ kHz}$ .
- Monitor  $V_{OUT}$  on an oscilloscope.

### Special Considerations:

## Performance Curve: Settling Time versus Closed-Loop Gain

### Test Circuit:



### About the Test Circuit:

- The voltage gain  $V_{OUT}/V_{IN}$  equals  $-R_2/R_1$ .
- The voltage  $V_2$  is given by a weighted subtraction of the input and output:

$$V_2 = \frac{R_1}{R_1 + R_2} V_{OUT} + \frac{R_2}{R_1 + R_2} V_1.$$

- The two diodes clamp the voltage  $V_2$  in order to avoid overloading the oscilloscope when measuring very small voltages. The diodes should be fast reverse recovery diodes such as the HP-5082-2835.

## Test Conditions:

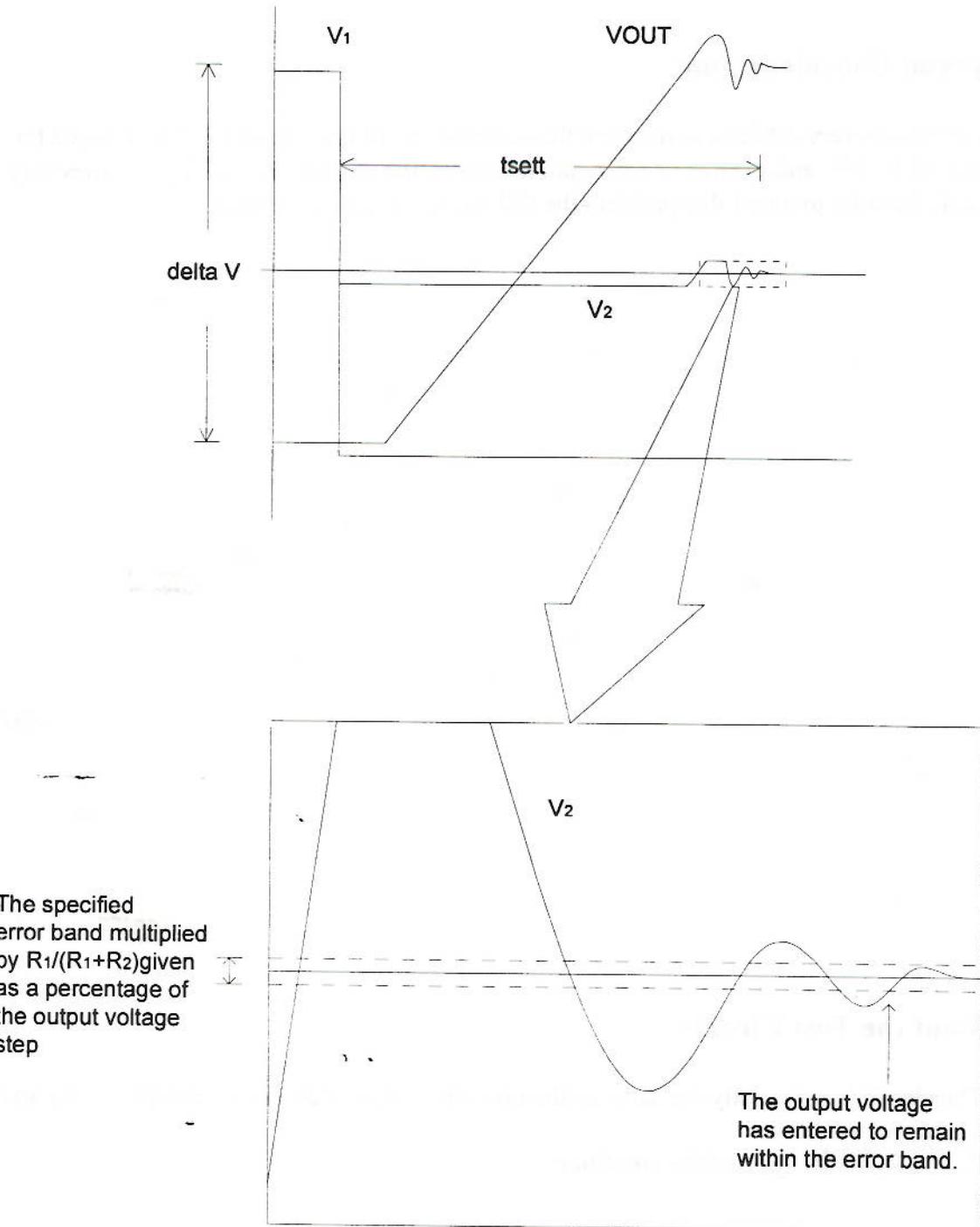
- Set the power supplies to the specified value.
- Choose  $C_L$  as the specified load capacitance.
- Choose  $R_2$  to establish the specified load:  $R_{LOAD} \cong R_2/2$ .
- Choose  $R_1$  to establish the desired closed-loop gain:

$$A_{CL} = -\frac{R_2}{R_1}.$$

- $T = 25^\circ C$

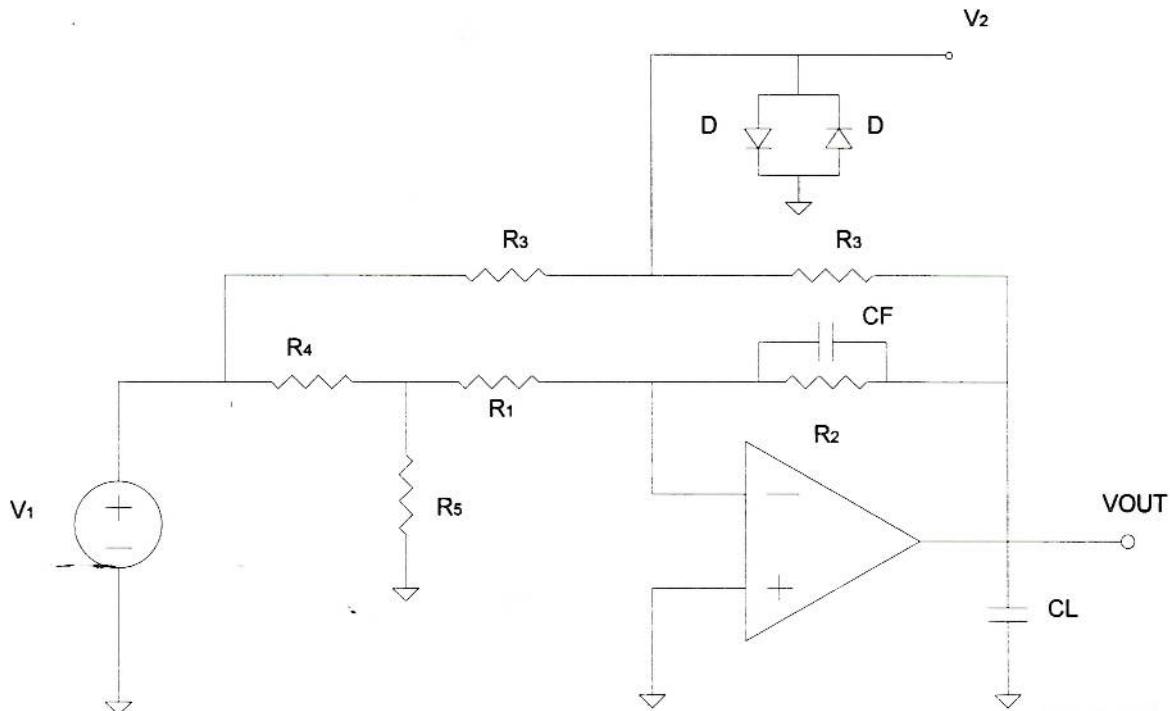
## Test Method:

- Establish  $V_1$  as a square wave.
- Monitor  $V_{IN}$  and  $V_2$  on an oscilloscope.
- Determine the settling time from the point that  $V_{IN}$  transitions to the time  $V_2$  enters and remains within the specified error band multiplied by the factor,  $R_1/(R_1+R_2)$ . The factor is a result of  $V_2$  being  $V_{OUT}$  reduced by the voltage divider formed by  $R_1$  and  $R_2$ .
- Repeat the test method for various closed-loop gains. Plot settling time versus closed-loop gain.



## Special Considerations:

- It becomes very difficult to measure the settling time of the circuit described above for gains of 10 V/V and greater. As the gain increases, the voltage level at  $V_2$  becomes very small. In order to avoid this problem the following circuit can be used:



## About the Test Circuit:

- The circuit is essentially the same as the previously described circuit except that  $R_4$  and  $R_5$  have been added.
- $R_1$  and  $R_2$  set the gain of the amplifier:

$$A_{CL} = -\frac{R_2}{R_1}.$$

- The gain of the complete circuit should be chosen to be -1 V/V.

- Resistors  $R_4$  and  $R_5$  must be chosen to divide  $V_1$  by the amount that resistors  $R_1$  and  $R_2$  gain up the signal. An example choice of resistor values would be:

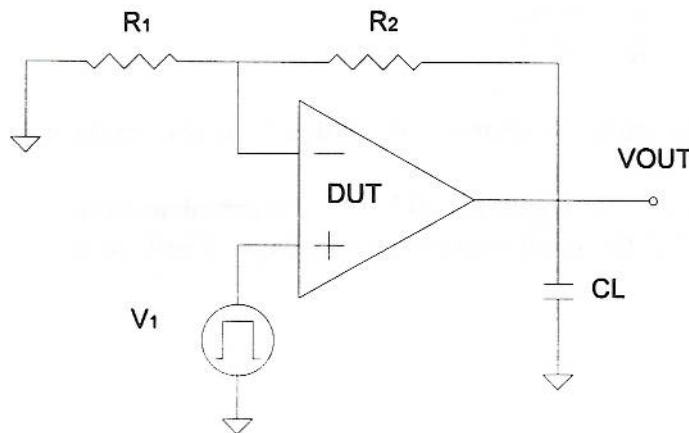
$$\begin{aligned}R_1 &= 1 \text{ k}\Omega \\R_2 &= 10 \text{ k}\Omega \\R_3 &= 2.5 \text{ k}\Omega \\R_4 &= 90 \Omega \\R_5 &= 10 \Omega.\end{aligned}$$

- Resistors  $R_4$  and  $R_5$  are chosen to be small compared to  $R_1$  so that  $V_1$  is divided by the resistor divider:  $R_5/(R_5+R_4)$ .
- These choices of resistors place the DUT in a gain of  $-10 \text{ V/V}$ . The complete circuit is in a gain of  $-1 \text{ V/V}$  and  $V_2$  is one half of the small signal output voltage. The load is approximately  $R_3||R_2 = 2 \text{ k}\Omega$ .

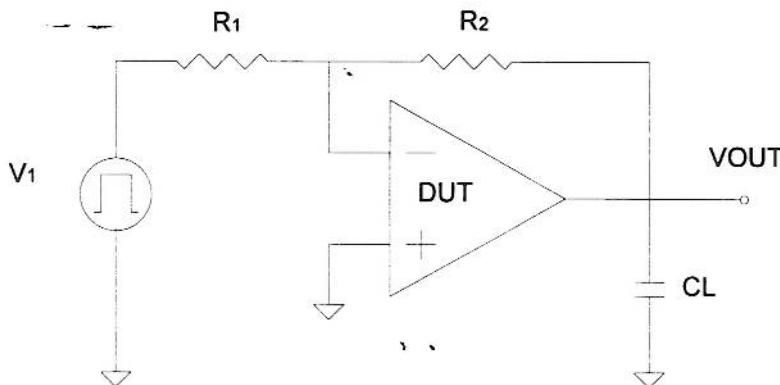
## Performance Curve: Small-Signal Overshot versus Load Capacitance

### Test Circuit:

Use the standard noninverting configuration for positive gains:



Use the standard inverting configuration for negative gains.



### Test Conditions:

- Set the power supplies to the specified value.
- Choose  $R_2$  to be the specified resistive load.
- Choose  $C_L$  to be the load capacitance.
- $T = 25^\circ\text{C}$

### **Test Method:**

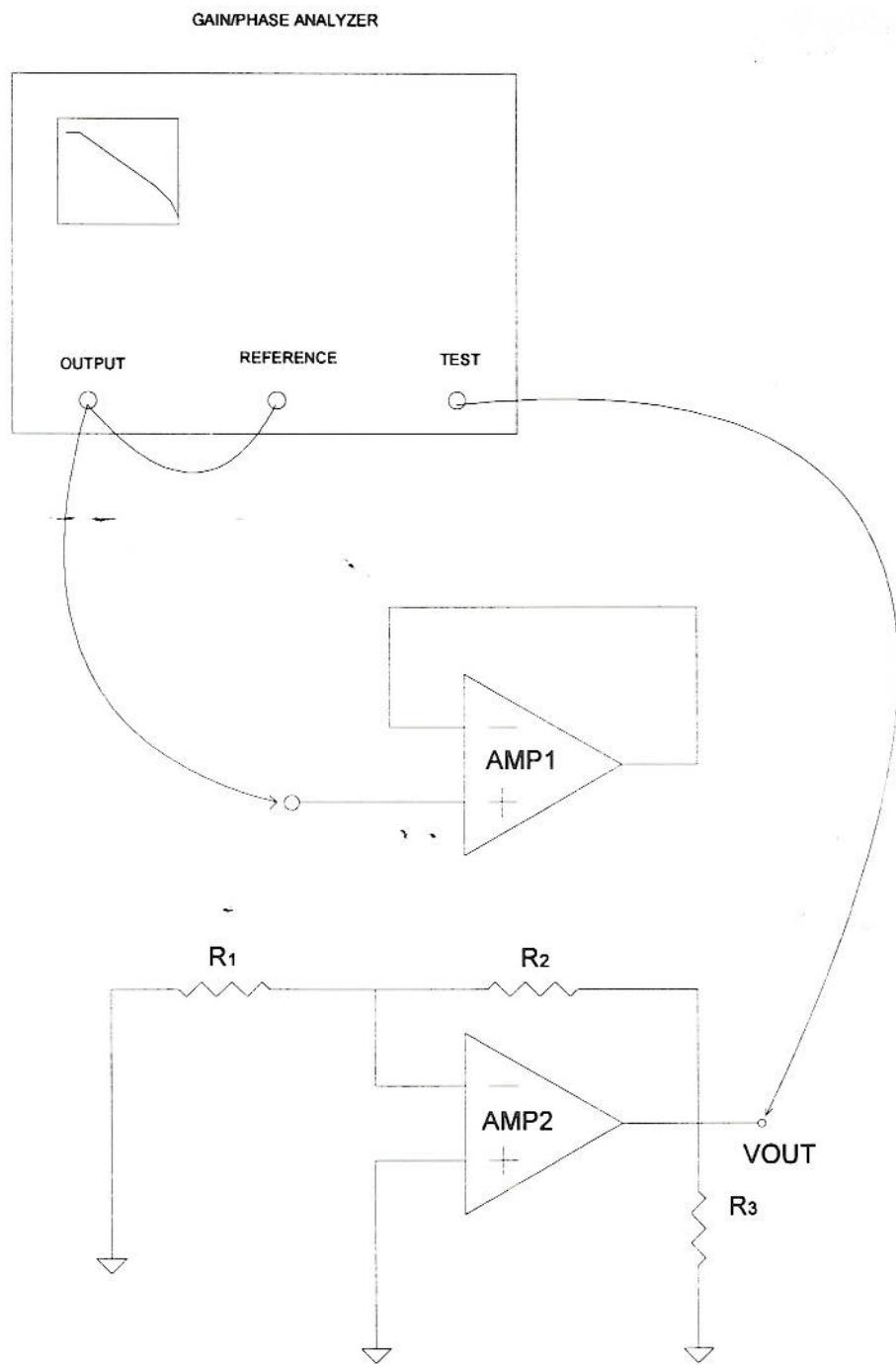
- Establish  $V_1$  to be a small-signal square wave. The amplitude of  $V_{OUT}$  is typically  $\pm 100$  mV with a frequency of 500 kHz.
- Observe  $V_{OUT}$  on an oscilloscope. Measure the amount that  $V_{OUT}$  overshoots the target output voltage.
- Repeat the test method for various closed-loop gains and load capacitances.
- Plot the percentage overshoot as a function of load capacitance for various gains.

### **Special Considerations:**

**Performance Curve:** Channel Separation versus Frequency. This performance test is for characterizing dual and quad-packaged amplifiers.

**Definition:** The gain measured from the input of one amplifier to the output of a second amplifier in the same package.

### Test Circuit:



### **Test Conditions:**

- Set the power supplies to the specified value.
- Choose  $R_1$  and  $R_2$  to establish a gain of 100 V/V.
- Choose  $R_3$  to establish the specified load:  $R_{LOAD} \approx R_2 \parallel R_3$ .
- $T = 25^\circ\text{C}$

### **Test Method:**

- Connect the Gain/Phase analyzer to the test circuit as shown and plot the test channel divided by the reference channel on a log scale.
- Normalize the plot to a gain of one.

### **Special Considerations:**

- The choice of gain for this test is only to make the output easier to measure. Care must be taken when selecting the gain of AMP #2 so that the channel separation versus frequency plot is not dominated by the bandwidth limit of the gain configuration of AMP #2.

**Performance Curve:** Input Voltage and Current Noise Spectral Density versus Frequency

**Test Circuit:**

Use the circuits described to measure input current and noise density.

**Test Method:**

- Determine the voltage and current noise density over the specified frequency and plot them on the same graph.

**Special Considerations:**

## **Performance Curve: Total Harmonic Distortion and Noise versus Frequency**

### **Test Circuit:**

- Use the circuit described to measure total harmonic distortion.

### **Test Method:**

- Measure THD over the specified frequency range.
- Repeat the test method for various closed-loop gains.
- Plot THD for each closed-loop gain configuration versus frequency.

### **Special Considerations:**